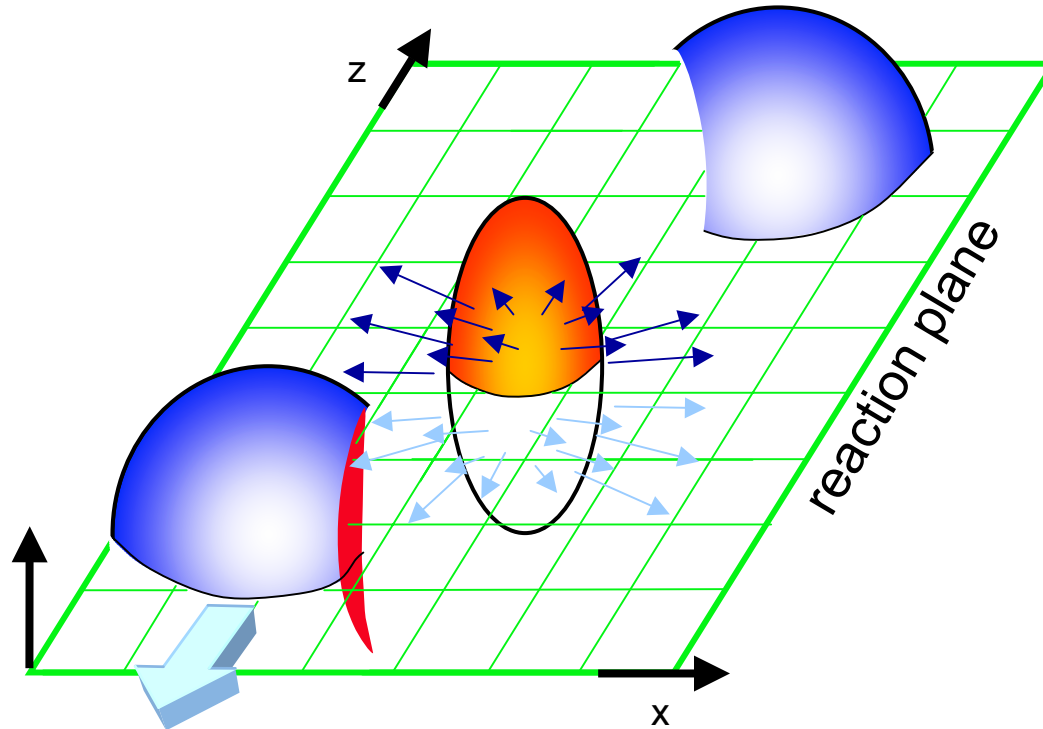


Azimuthal anisotropy



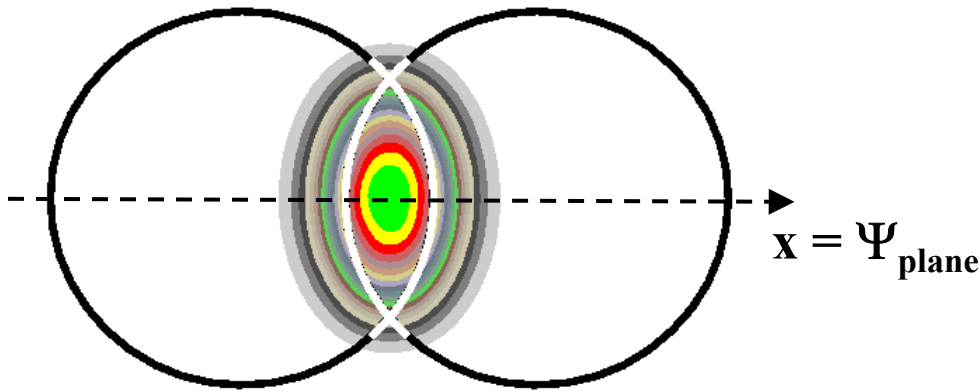
Nuclear collision is never exactly head-on-head →
→ azimuthal symmetry is broken

Hydrodynamic flow

multiple
scattering

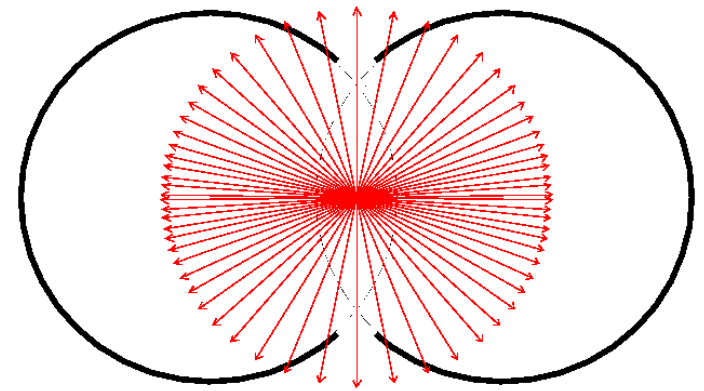
larger pressure
gradient in plane

more particles
emitted in plane



spatial asymmetry
eccentricity

$$\varepsilon = \frac{\langle y^2 - x^2 \rangle}{\langle y^2 + x^2 \rangle}$$

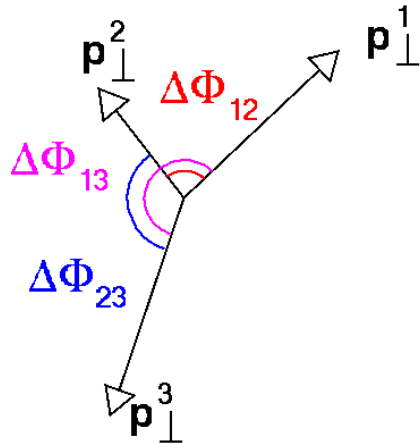


momentum asymmetry
elliptic flow - v_2

$$v_2 = \frac{\langle p_x^2 - p_y^2 \rangle}{\langle p_x^2 + p_y^2 \rangle}$$

Sensitive to early pressure and dynamics of initial system

Two-Particles Correlation Function



$$C_{ij}(\Delta\phi) = \frac{dN_{ij}}{d(\phi_i - \phi_j)}$$

We observe a sum of

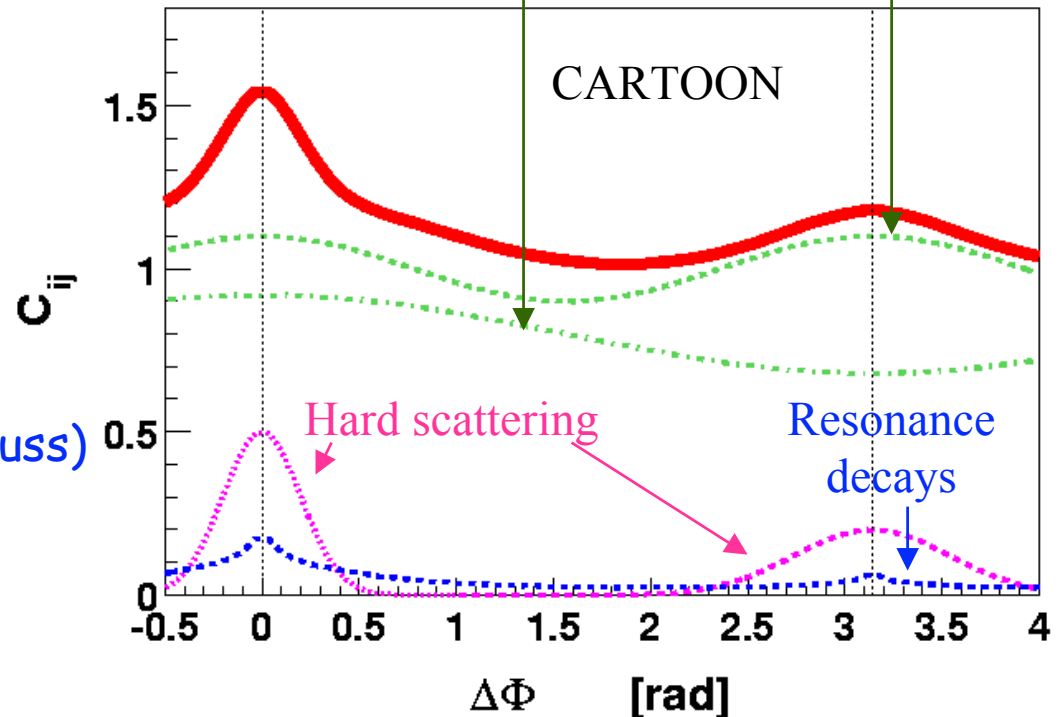
- Flow anisotropy (cos)
- Hard scattering peaks (gauss)
- Resonance decays

Fourier decomposition

Directed
flow

Elliptic
flow

$$C(\Delta\phi)_{\text{flow}} \propto (1 + 2 v_1^2 \cos(\Delta\phi) + 2 v_2^2 \cos(2 \Delta\phi))$$



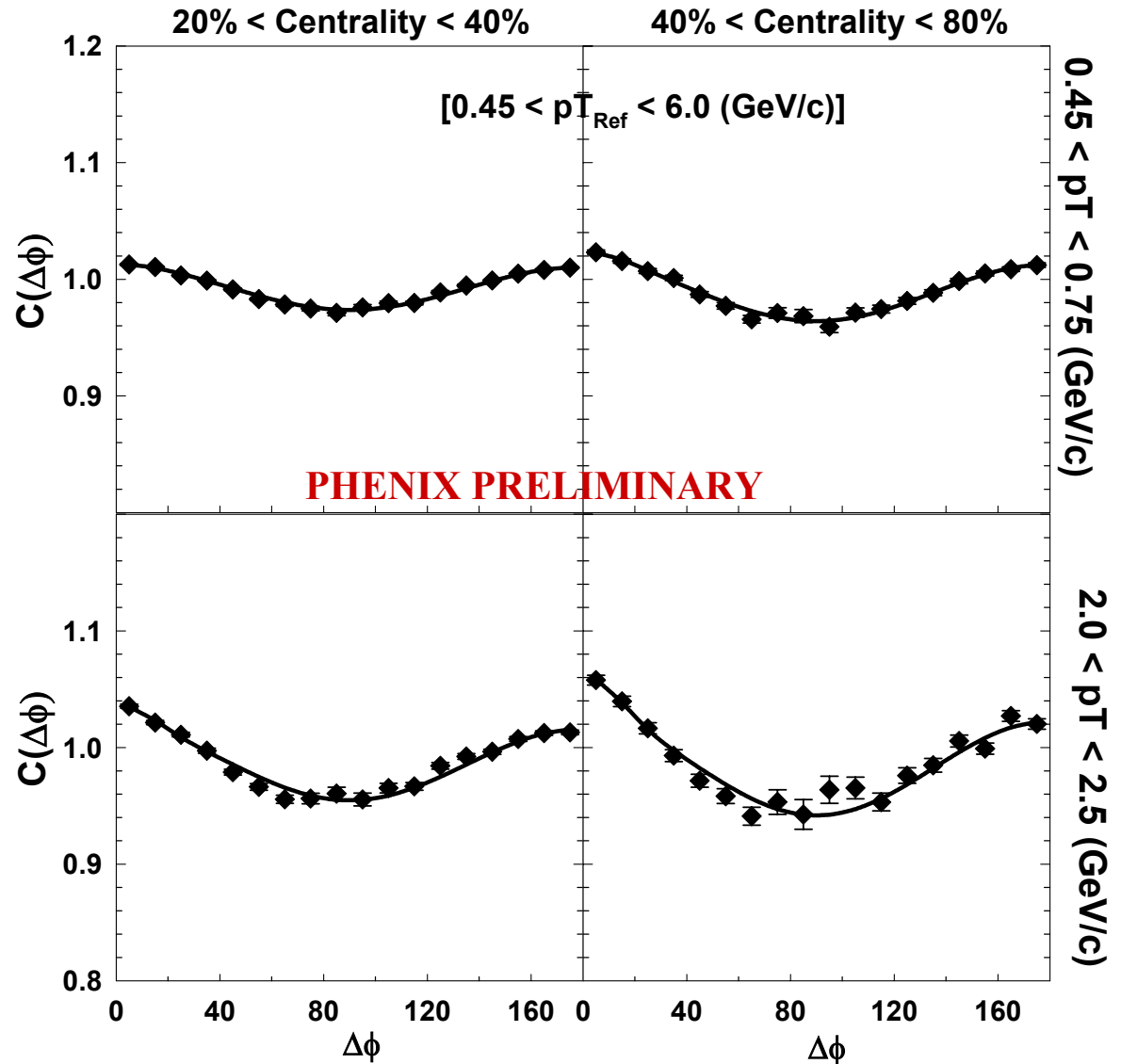
Low-pT correlation functions

$$\sqrt{s_{NN}} = 200 \text{ GeV}$$

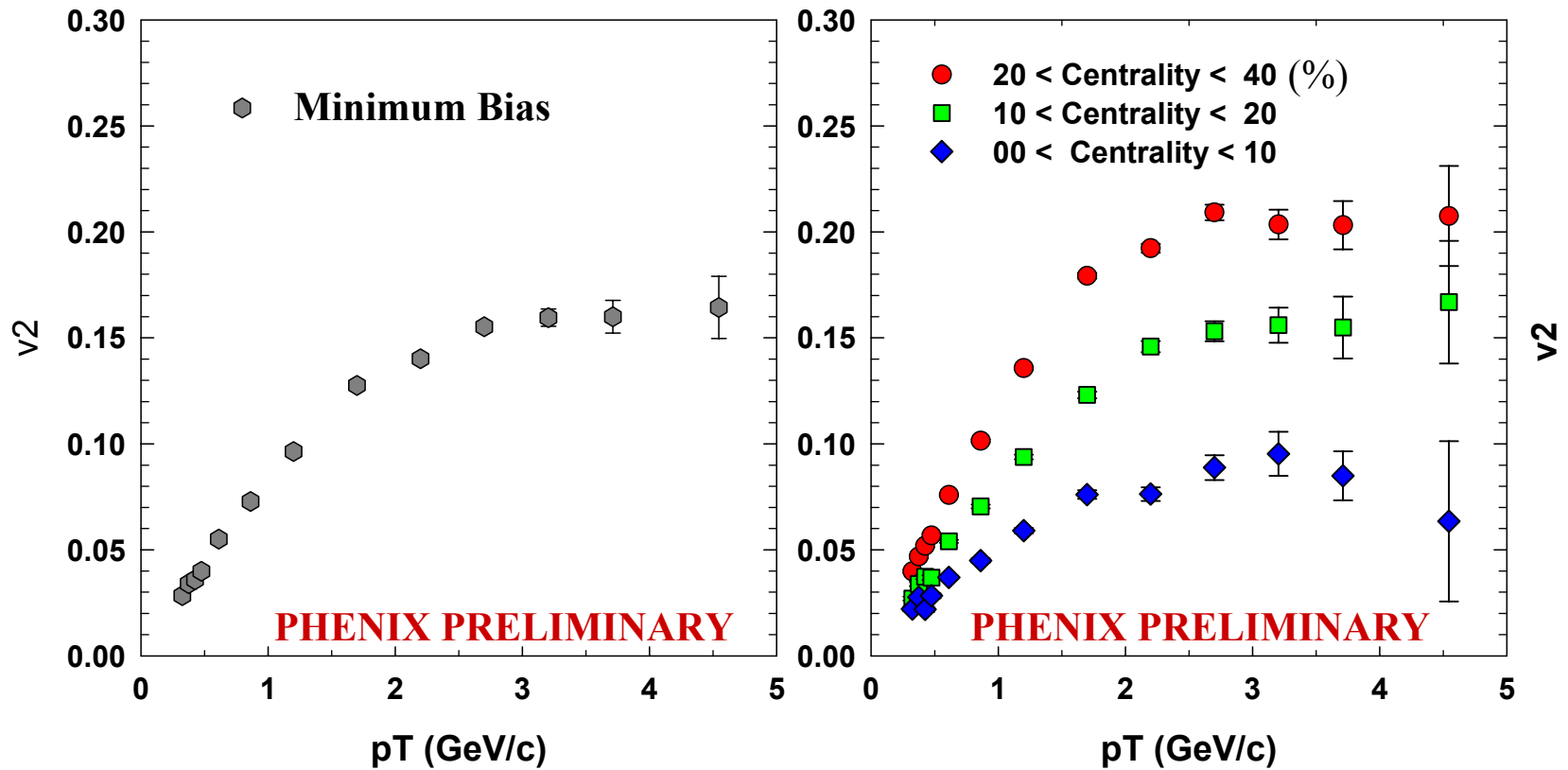
- Anisotropy increases with pt and Centrality
- Asymmetric Component seen especially at high pt

Important to test the response of the asymmetry to various Cuts

- Jets
- v_2 values

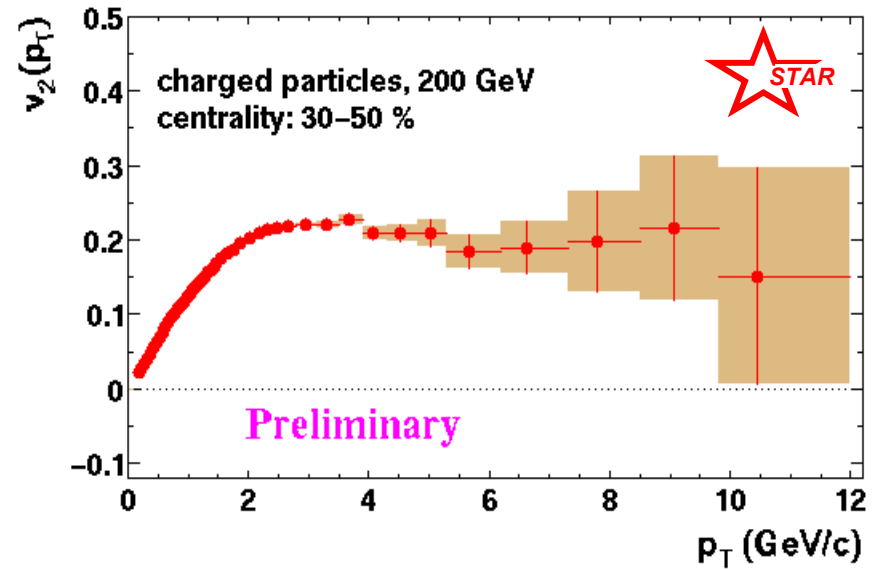
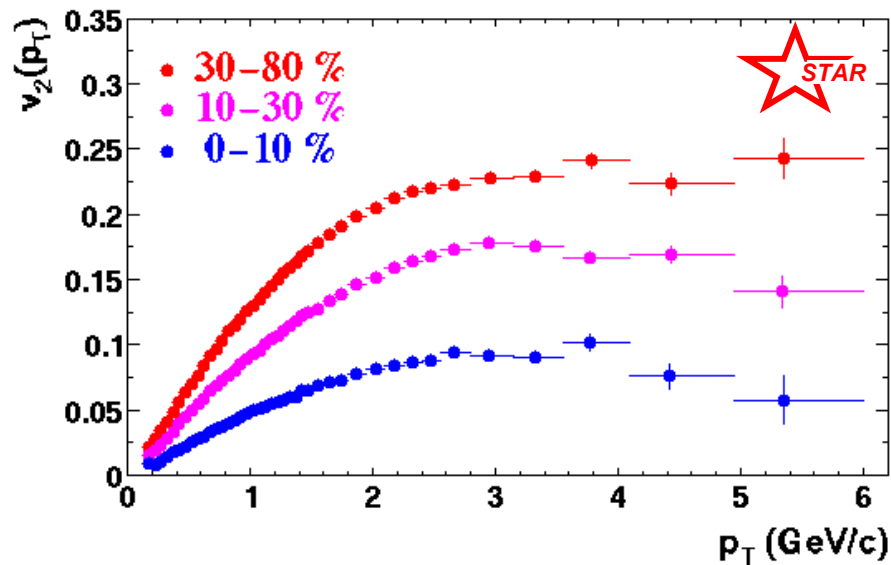


Differential $v_2(pT)$

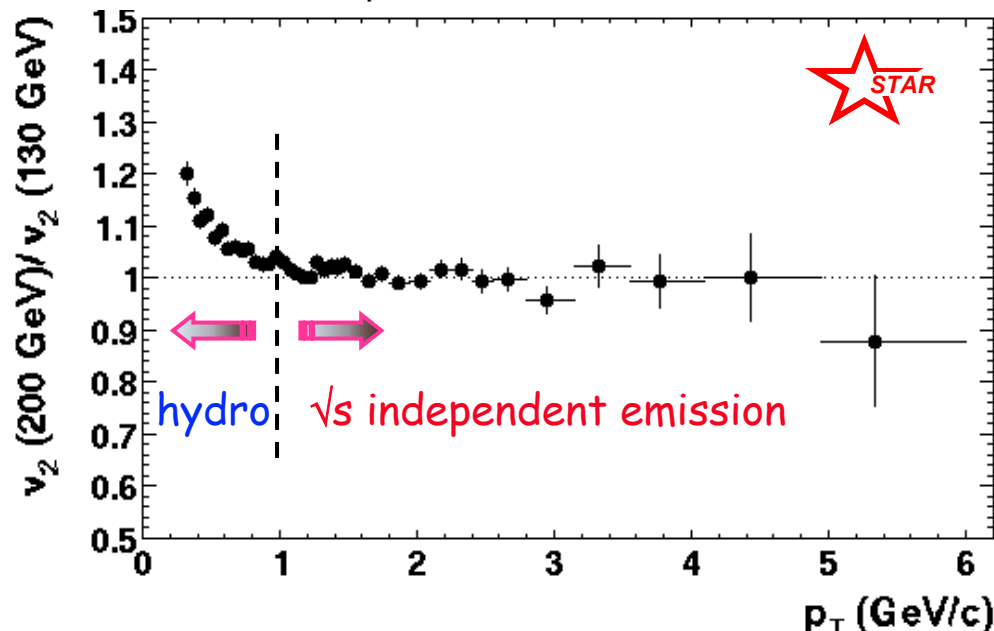


v_2 Saturates at ~ 2.5 GeV/c; Similar Trend for all Centralities
 v_2 increases with Centrality

STAR Reaction Plane $v_2(p_T)$ \sqrt{s} evolution



Excellent agreement between
STAR
and
PHENIX

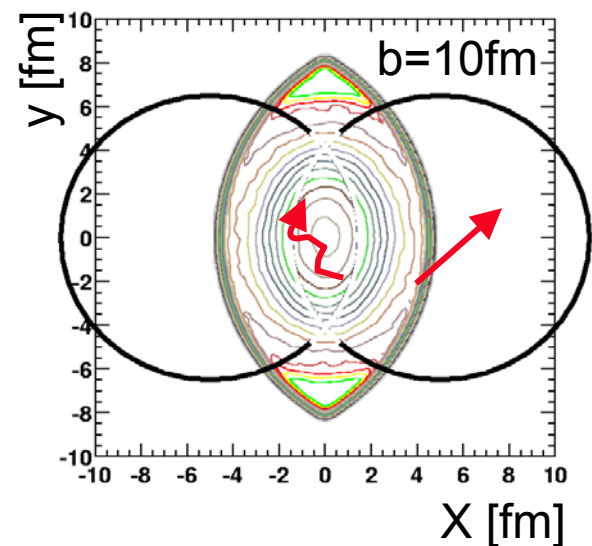


Azimuthal anisotropy

What did we learn from observed azimuthal anisotropies?

- $v_2(p_T)$ is **substantial** and **saturates** at $p_T > 3 \text{ GeV}/c$ for all centralities at both beam energies
- for $p_T < 1 \text{ GeV}/c$ the conventional hydrodynamics seems to dominate
- for $p_T > 1 \text{ GeV}/c$ we observe **\sqrt{s} independent emission pattern.**

v2 generated by energy loss of high-pT partons

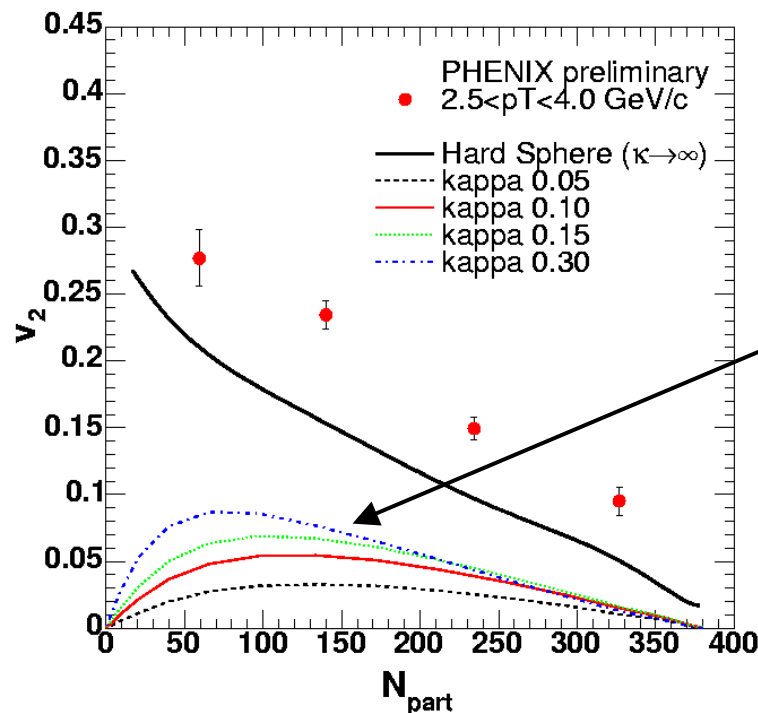
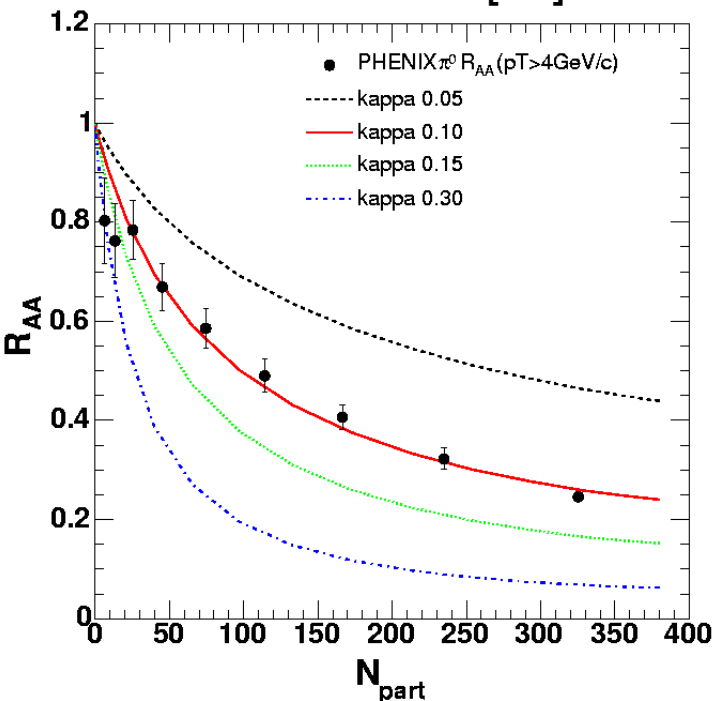


escape probability

$$f(\vec{x}_0, \vec{n}) = \exp\left[-\kappa \int_0^\infty ds L_-(\vec{x}_0 + s\vec{n}) \cdot L_+(\vec{x}_0 + s\vec{n})\right].$$

$$L_\pm(x, y) = 2[R^2 - y^2 - (x \pm b/2)^2]^{1/2}$$

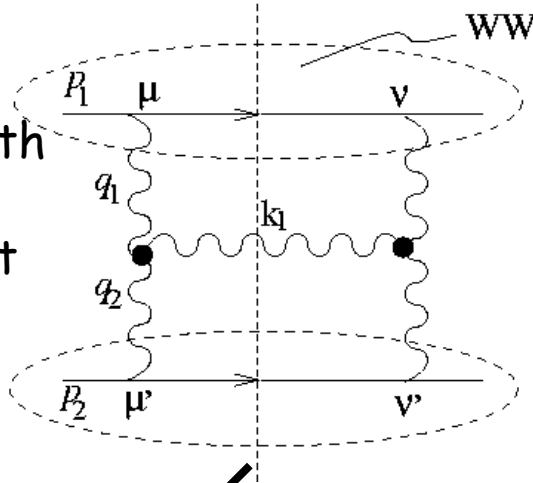
Or $T_A(x_0)$ thickness function with Saxon-Woods energy prof.



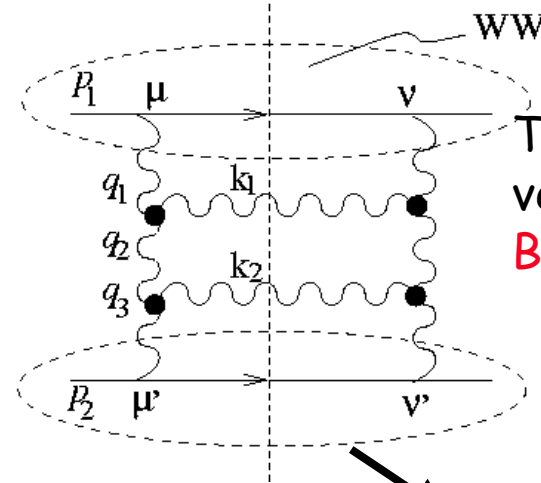
v_2 generated by energy loss is way to small
 $v_{2,max} < 10\%$

$v_2(p_{\perp})$ from CGC

Classical CGC with mono-gluon jets doesn't get v_2 at all.

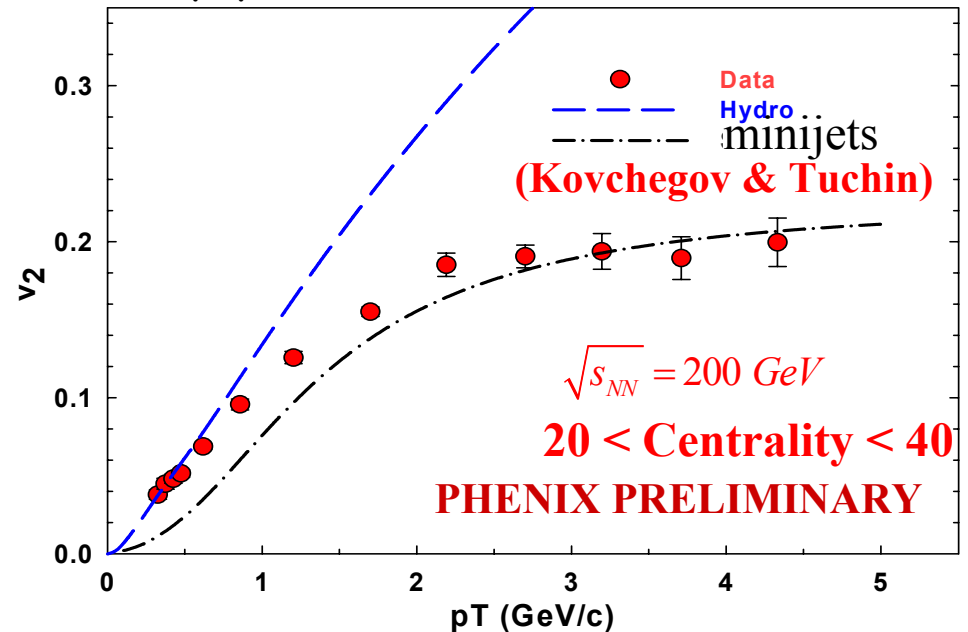
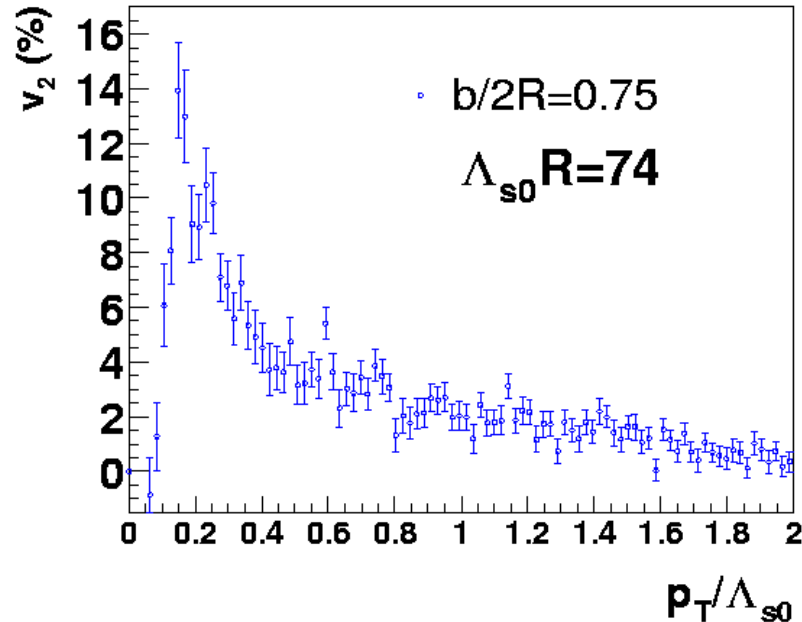


hep-ph/0204361



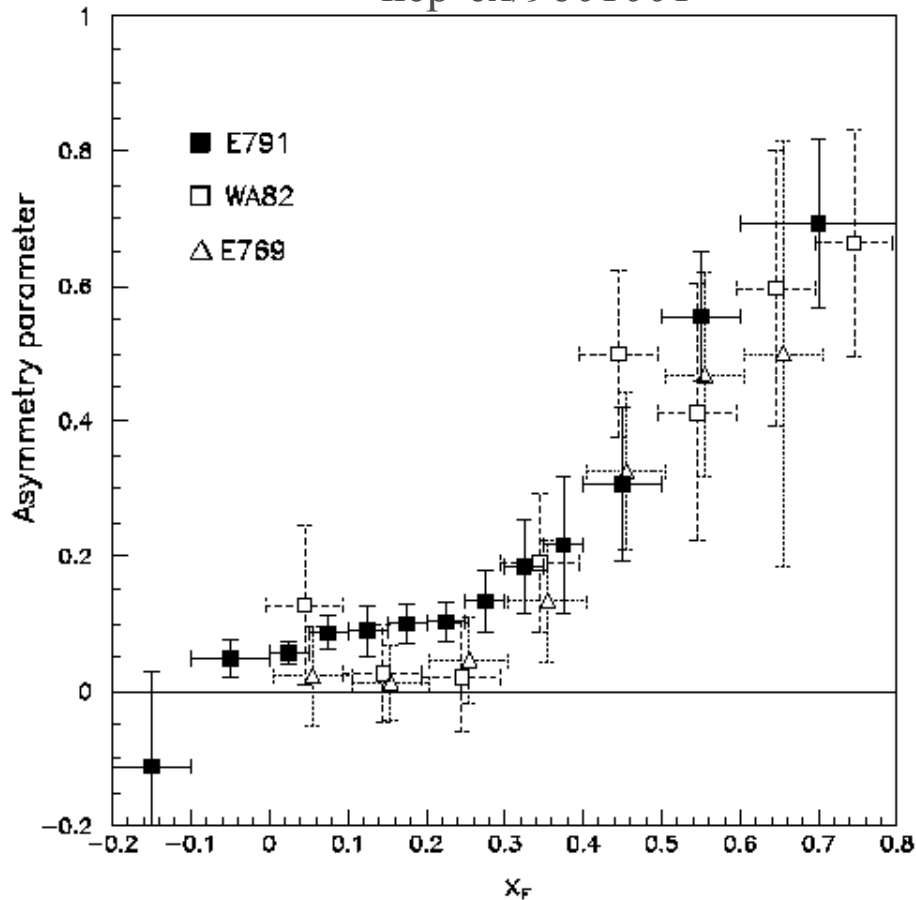
Two gluons Lipatov vertex looks OK, BUT...

hep-ph/0203213



Hadron production in forward region in p+p

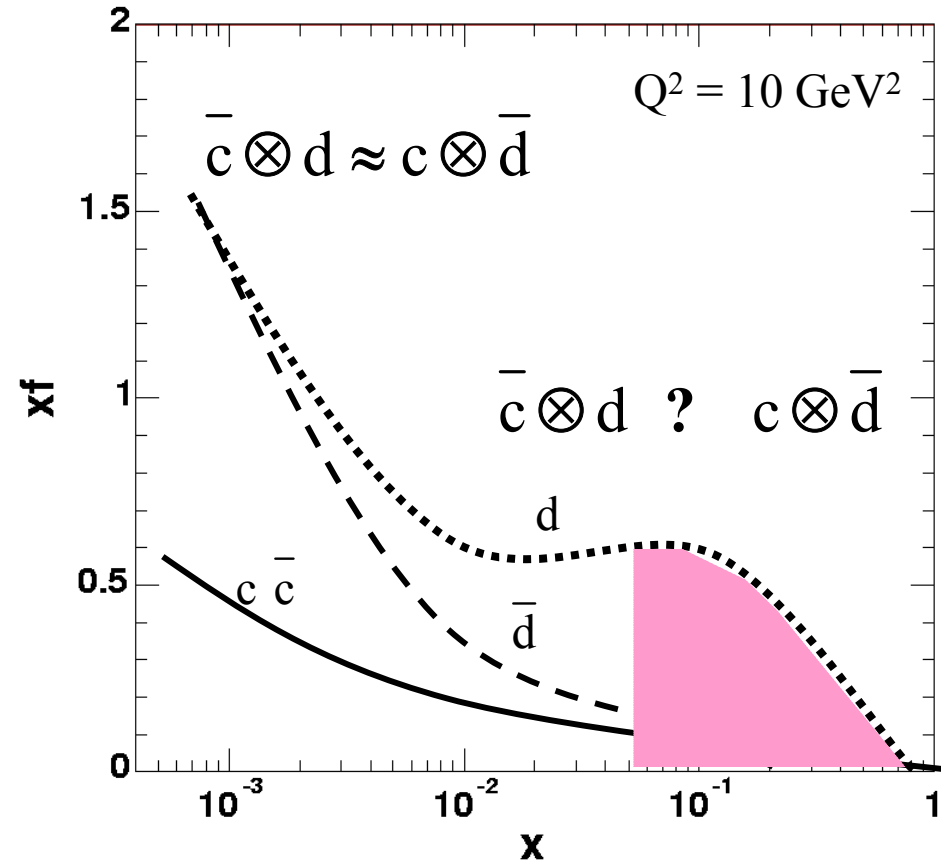
hep-ex/9601001



D^- from fragmentation

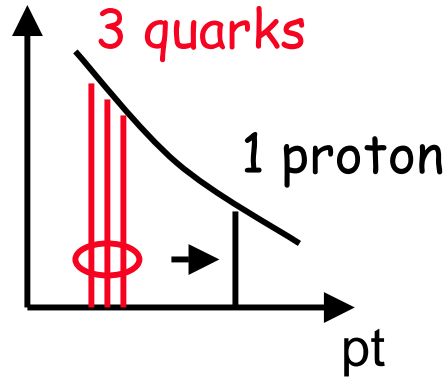
D^+ from coalescence and fragmentation

$$\alpha(x_F) = \frac{d\sigma_{D^-}/dx_F - d\sigma_{D^+}/dx_F}{d\sigma_{D^-}/dx_F + d\sigma_{D^+}/dx_F}$$



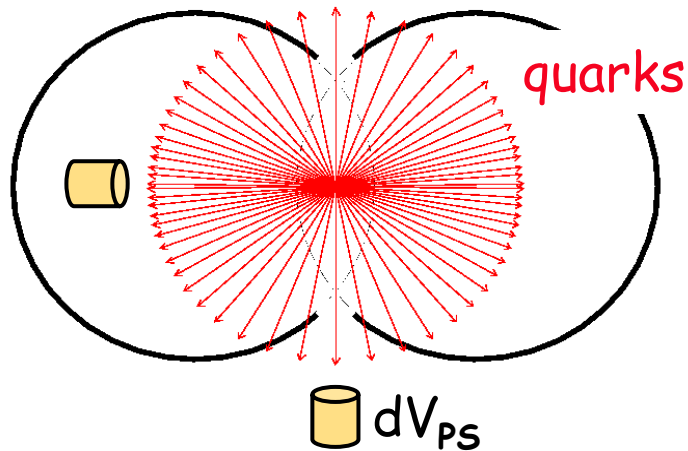
V2 amplification by quark recombination

D. Molnar, S. Voloshin nucl-th/0302014

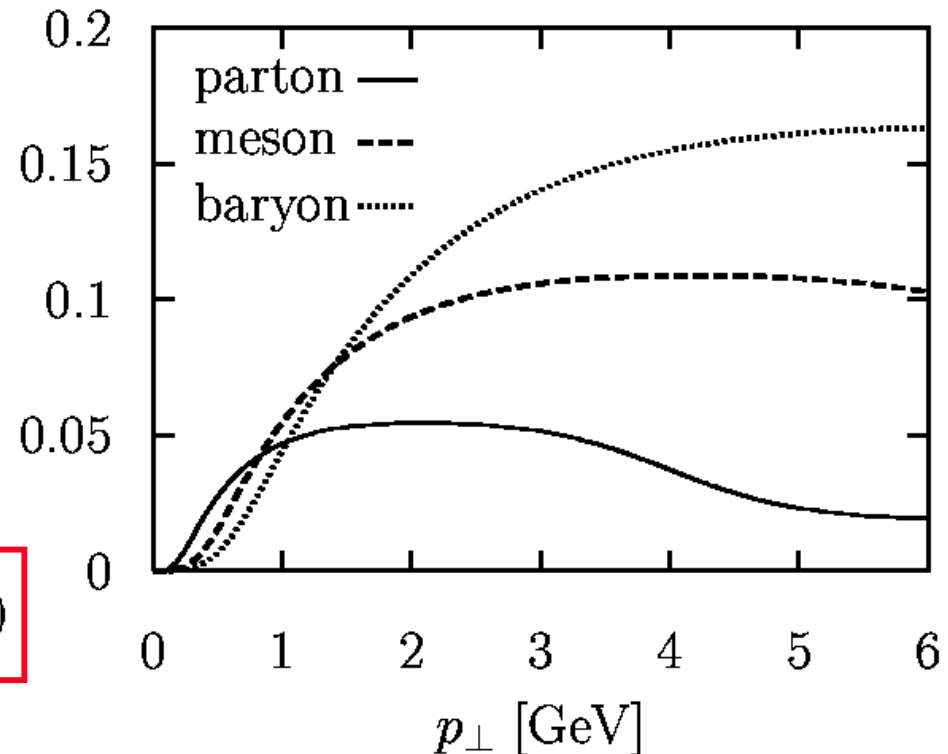


$$\frac{dN_B}{d^2p_\perp}(\vec{p}_\perp) = C_B \left[\frac{dN_q}{d^2p_\perp}(\vec{p}_\perp/3) \right]^3$$

$$\frac{dN_M}{d^2p_\perp}(\vec{p}_\perp) = C_M \left[\frac{dN_q}{d^2p_\perp}(\vec{p}_\perp/2) \right]^2$$

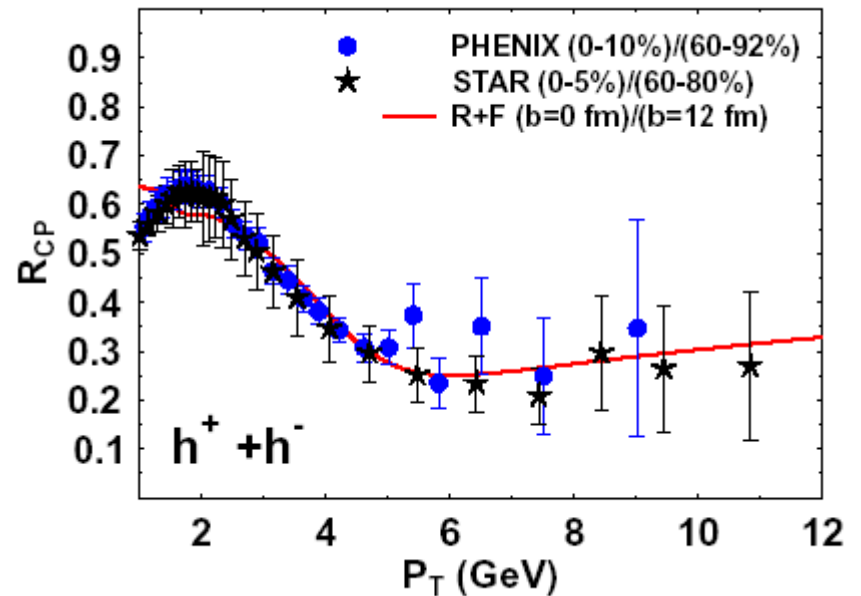
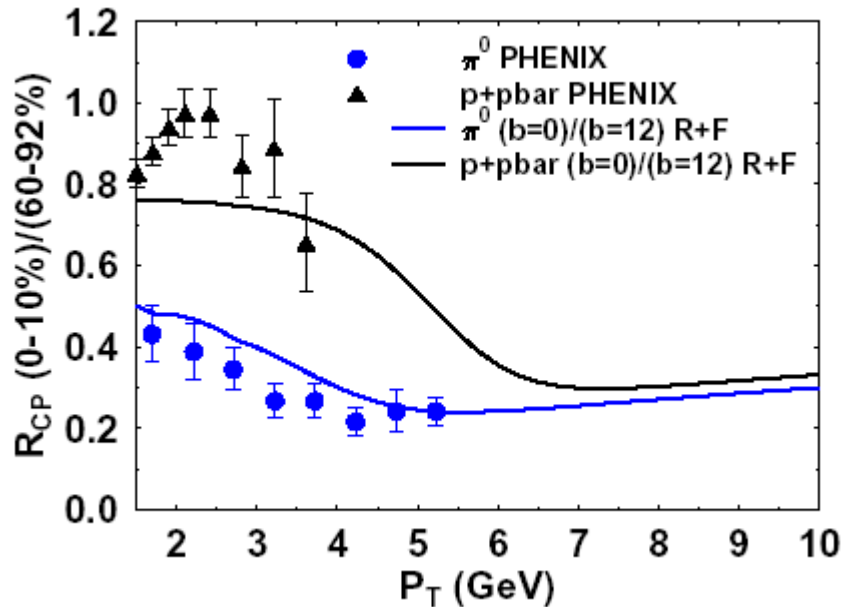
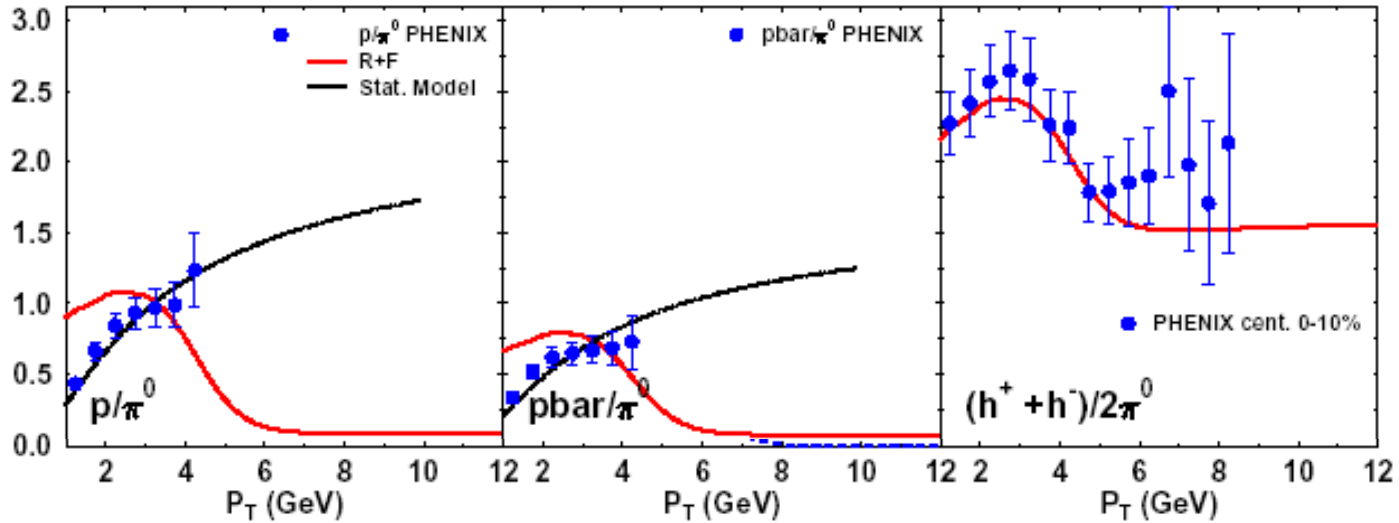


$$v_{2,M}(p_\perp) \approx 2v_{2,q}\left(\frac{p_\perp}{2}\right), \quad v_{2,B}(p_\perp) \approx 3v_{2,q}\left(\frac{p_\perp}{3}\right)$$



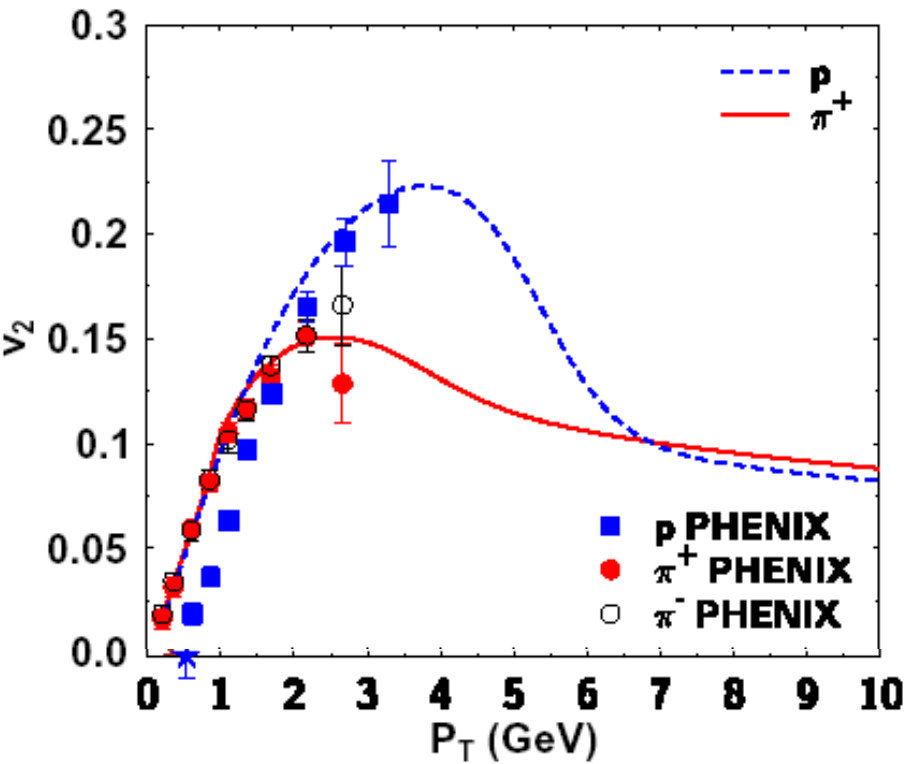
Hall of fame

nucl-th/0306027 v2 **5 Jun 2003** “*Hadron production in heavy ion collisions: Fragmentation and recombination from a dense parton phase*” R. J. Fries, B. M^uller, and C. Nonaka S. A. Bass

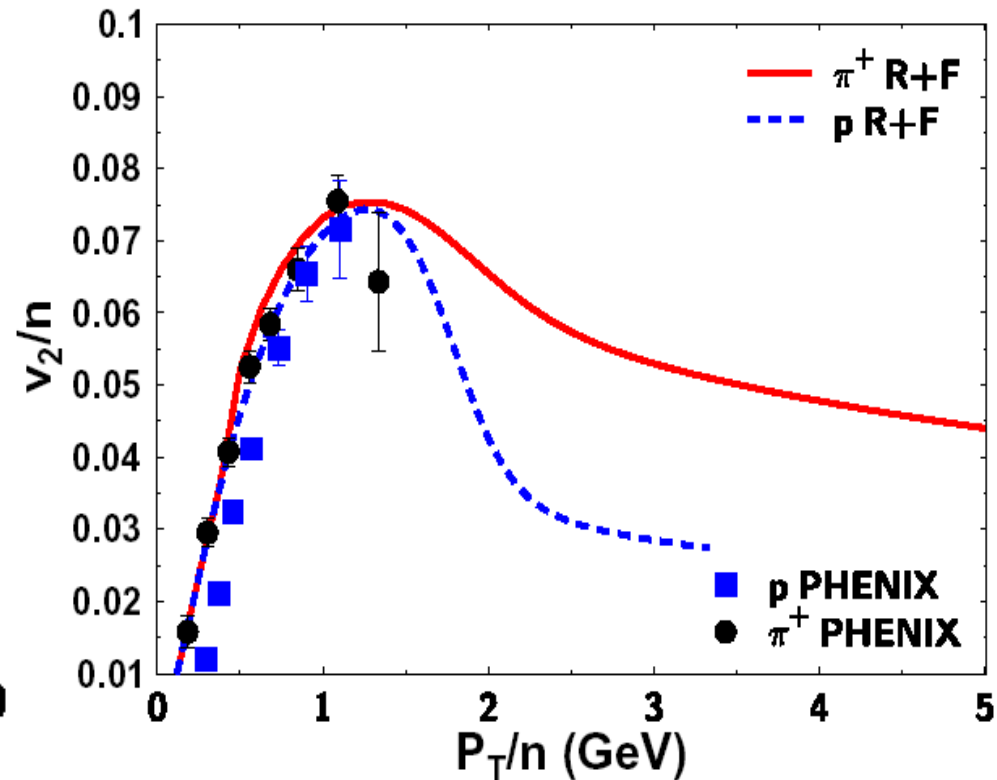


Hall of fame II

v_2 for p and charged π

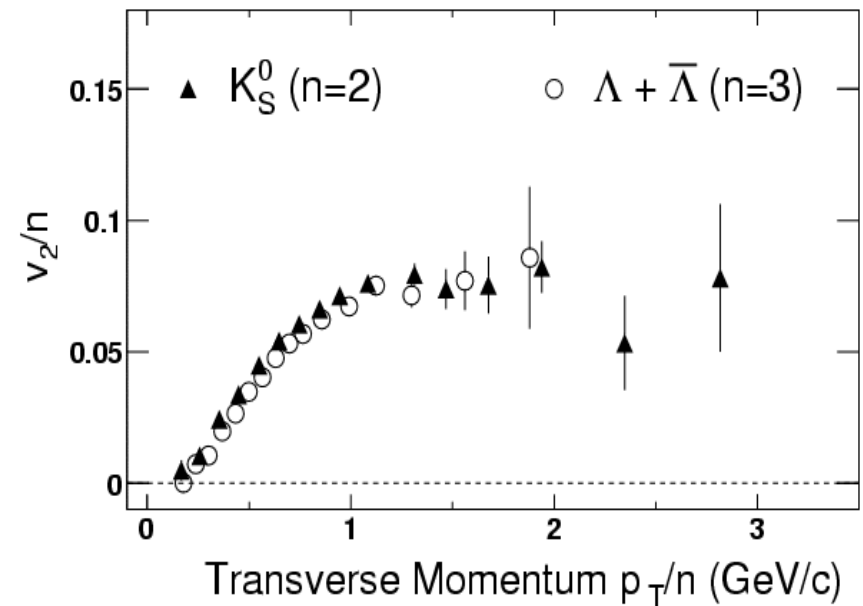
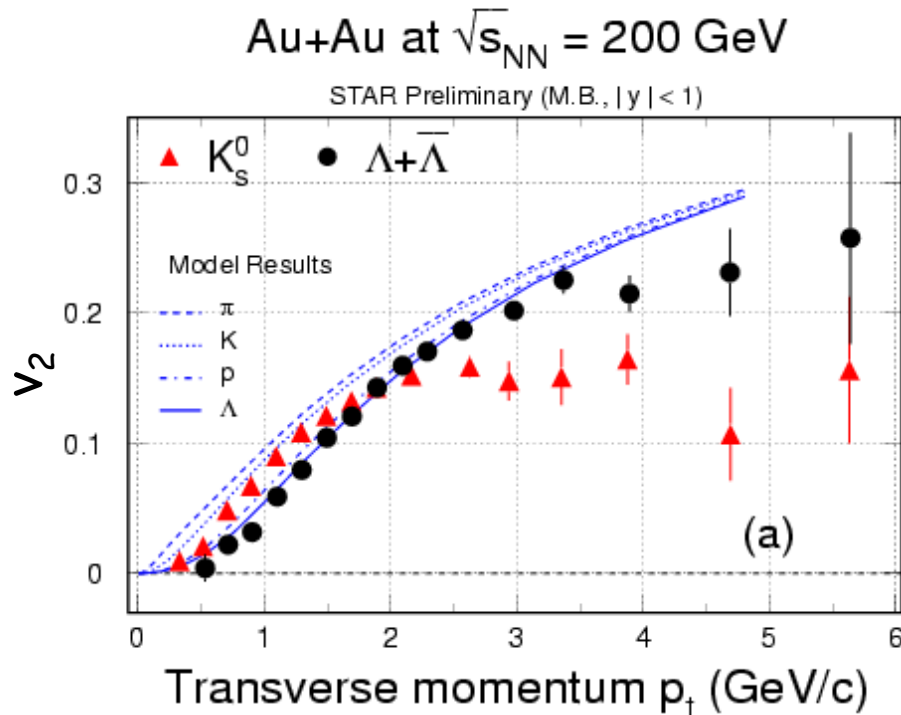


v_2 for p and charged π
scaled by quantum #



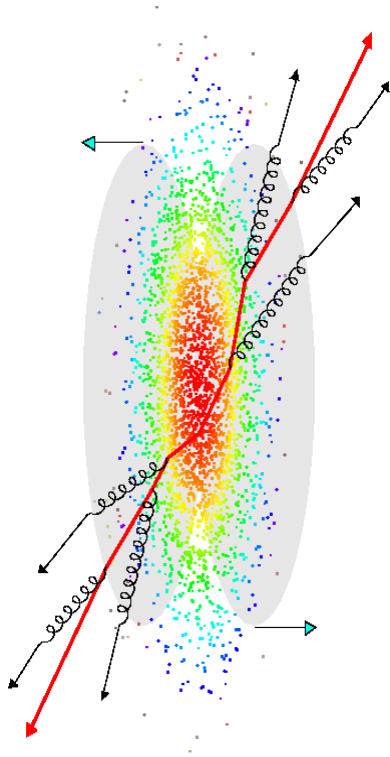
Beautiful ! We might see the partonic flow!

STAR strange mesons and baryons scaling



Hard scattering in Heavy Ion collisions

schematic view of jet production



Particle production @RHIC

- $dn_{ch}/d\eta|_{\eta=0} = 670$, $N_{total} \sim 7500$
- 92% of (15,000) all quarks from vacuum !

Jets @RHIC:

- produced early $\tau < 1\text{fm}$
- primarily from gluons
- 30-50% of particle production

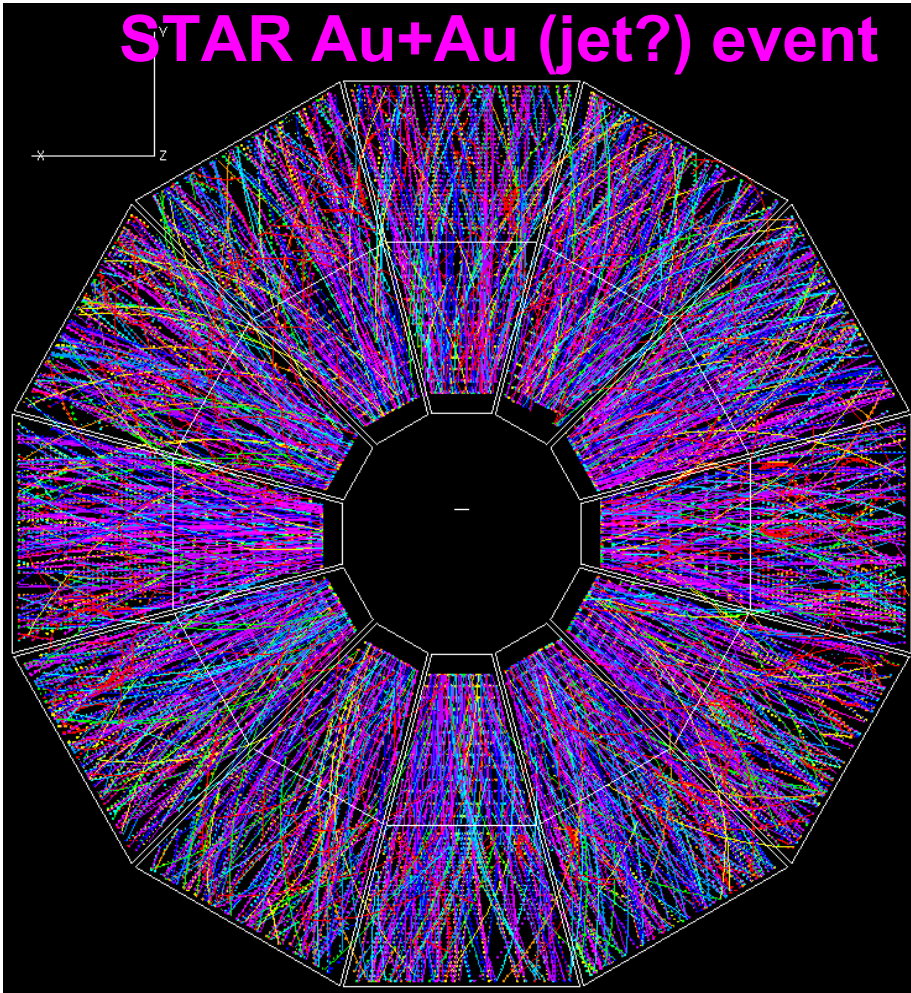
Observed via:

- fast leading particles
- azimuthal correlations

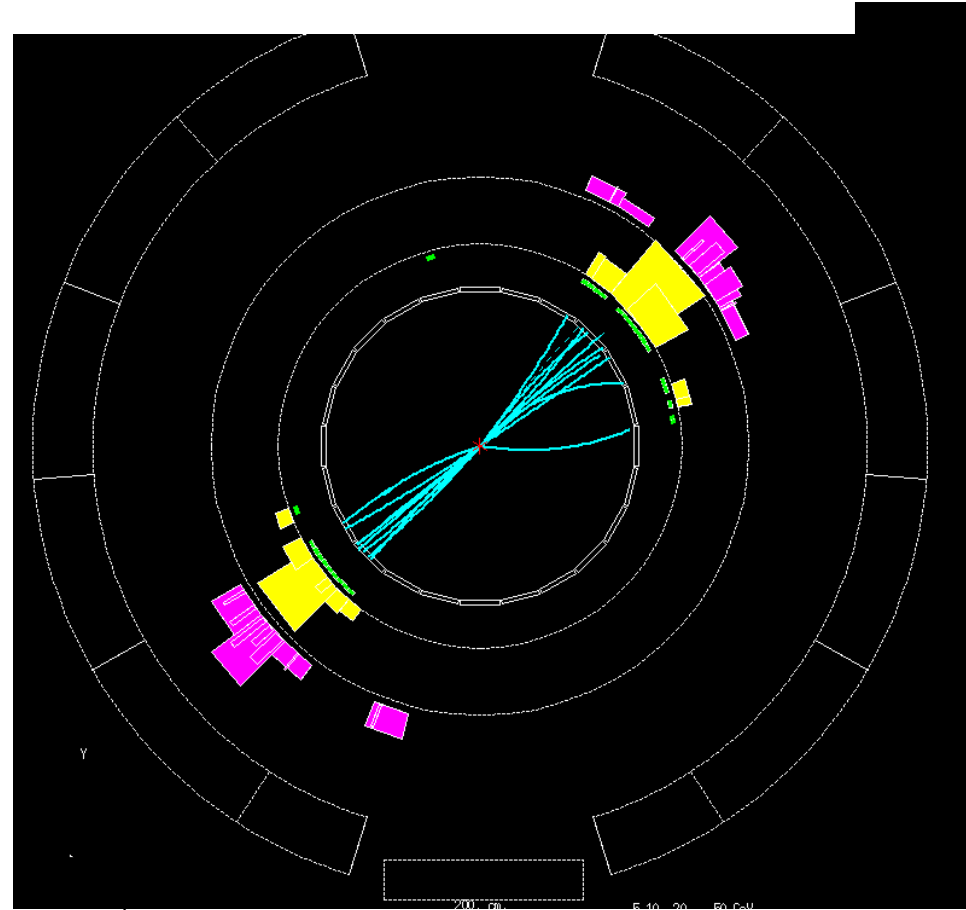
Scattered partons radiate energy in colored medium \rightarrow
suppression of high p_T particles

Hard Scattering (Jets) as a Probe of Dense Matter

STAR Au+Au (jet?) event



Jet event in e^+e^- collision



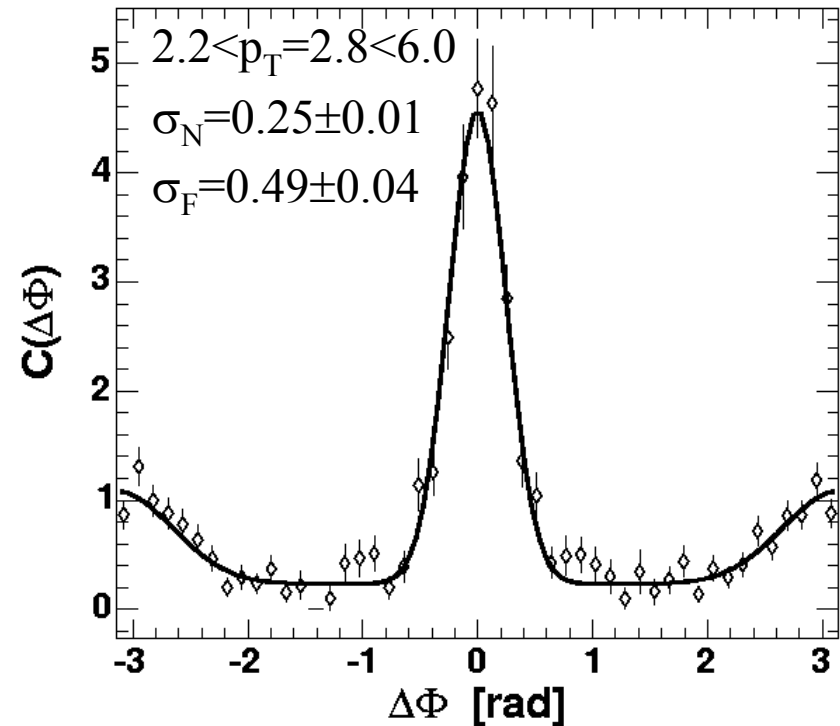
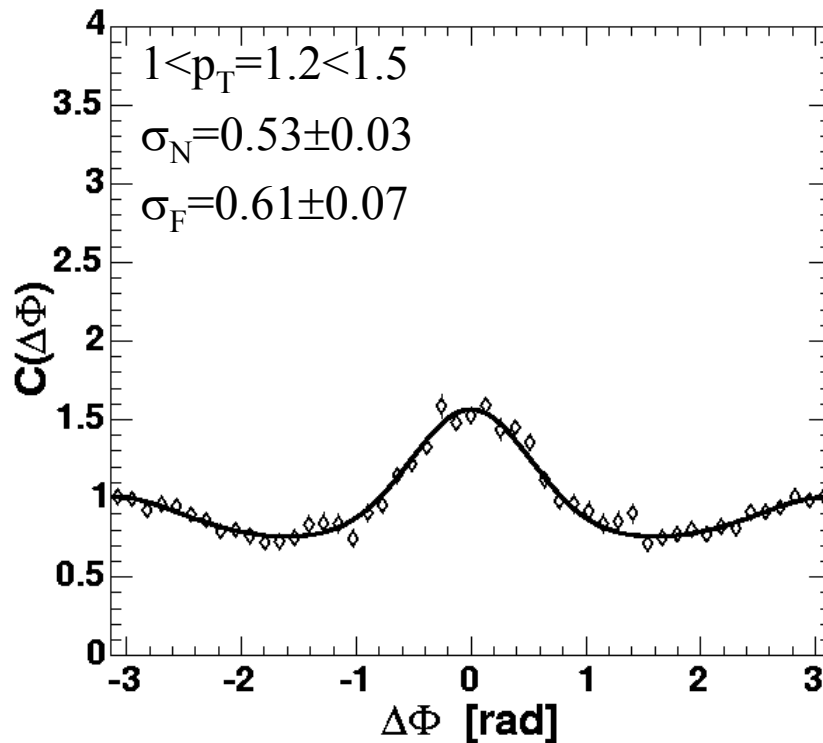
Can we see jets in high energy Au+Au?

Two-particles correlation in pp

pp correlation function, even at intermediate p_T range, dominated by jet fragments.

The near angle peak width σ_N intra-jet correlations

The far angle peak width σ_F inter-jet correlations



Fit = const + Gauss(0) + Gauss($\pm\pi$)

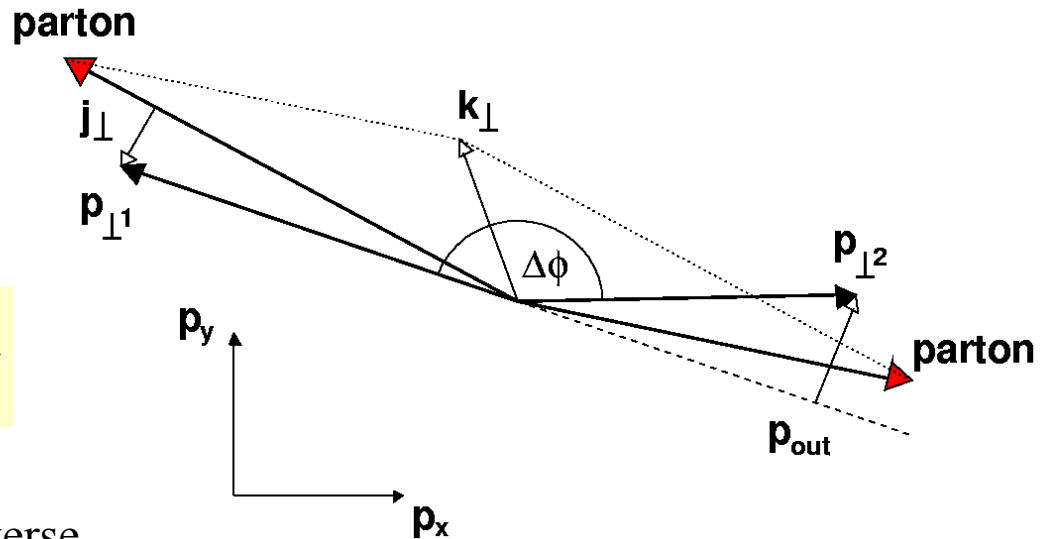
jet fragmentation transverse momentum

$\langle |j_{\perp y}| \rangle$ = the mean transverse momentum of the hadron with respect to the jet axis.

$$\langle |j_{\perp y}| \rangle = \frac{1}{\sqrt{\pi}} \sqrt{\langle j_{\perp}^2 \rangle} = \langle p_{\perp} \rangle \sin \frac{\sigma_N}{\sqrt{\pi}}$$

$\langle |k_{\perp y}| \rangle$ = the mean effective (net) transverse momentum of the two colliding partons.

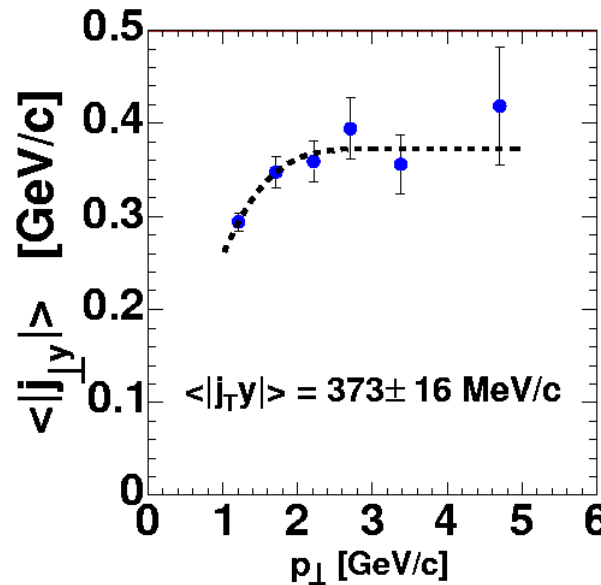
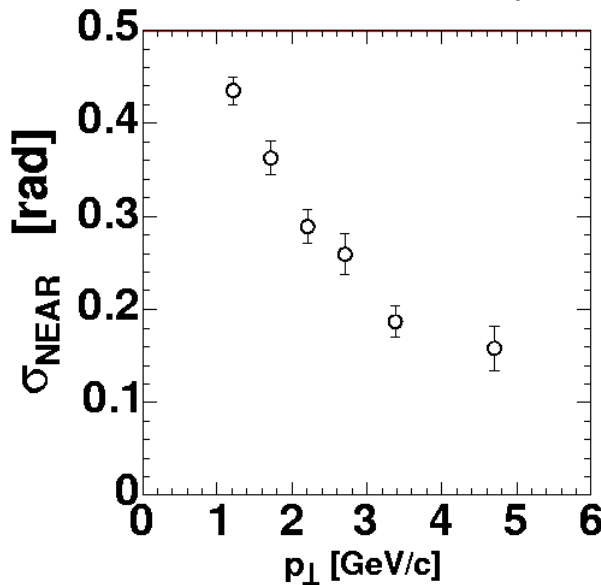
$$\langle |k_{\perp y}| \rangle = \frac{1}{\sqrt{\pi}} \sqrt{\langle k_{\perp}^2 \rangle} = \langle p_{\perp} \rangle \cos \left(\frac{\sigma_N}{\sqrt{\pi}} \right) \sqrt{\frac{1}{2} \tan^2 \left(\sqrt{\frac{2}{\pi}} \sigma_F \right) - \tan^2 \left(\frac{\sigma_N}{\sqrt{\pi}} \right)}$$



$$\langle k_{\perp}^2 \rangle_{AA} = \langle k_{\perp}^2 \rangle_{\text{vac}} + \langle k_{\perp}^2 \rangle_{\text{IS nucl}} + \langle k_{\perp}^2 \rangle_{\text{FS nucl}}$$

charged hadrons correlation in pp $\sqrt{s} = 200\text{GeV}$

No systematic errors shown



At low $p_T < 2\text{GeV}$ the near angle peak width and $\langle |j_{Ty}| \rangle$ is reduced by “Seagull effect”

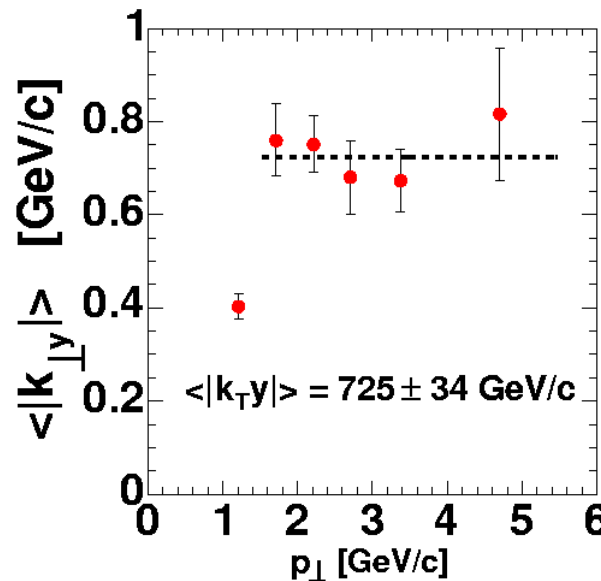
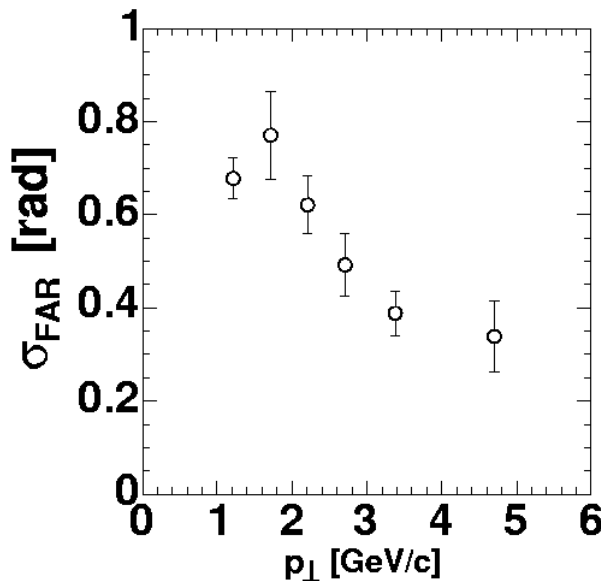
see. e.g Phys.Lett.B320:411-416,1994

pp reference

PHENIX preliminary

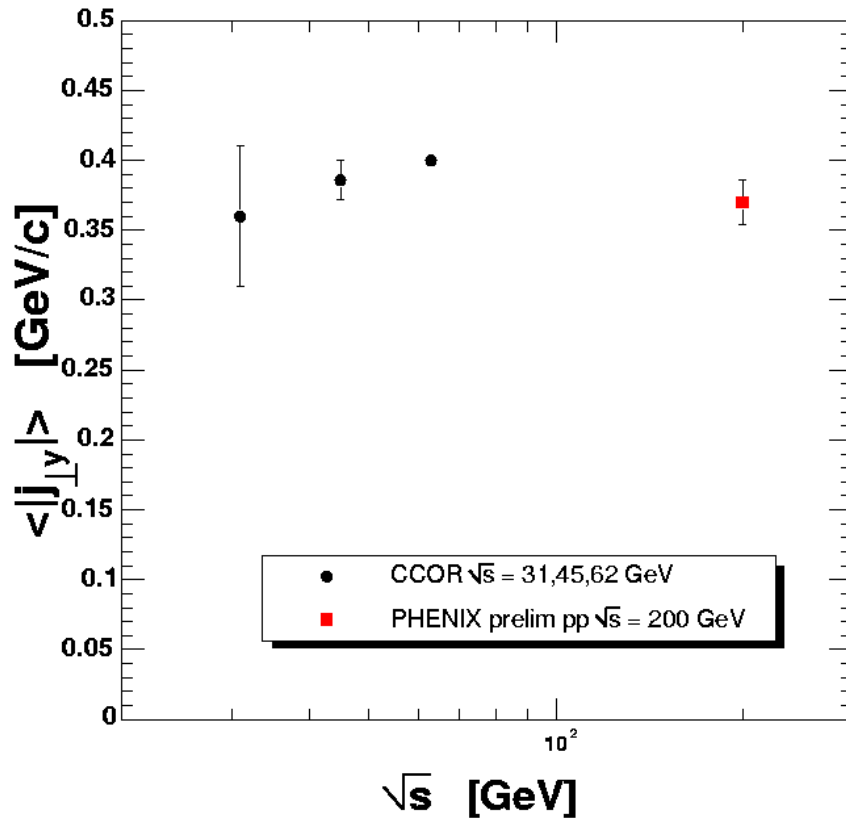
$$\langle |j_{Ty}| \rangle = 373 \pm 16 \text{ MeV/c}$$

$$\langle |k_{Ty}| \rangle = 725 \pm 34 \text{ MeV/c}$$

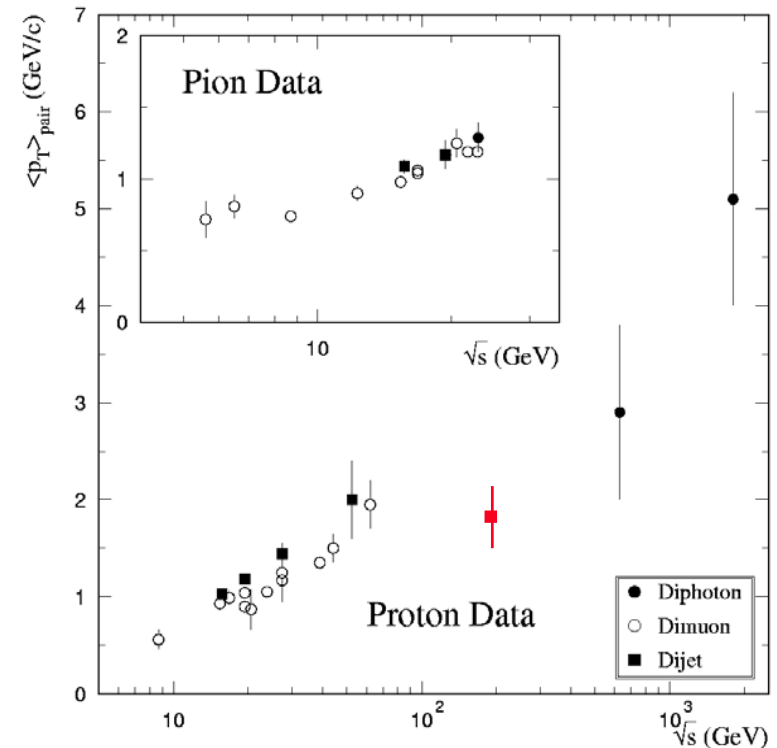


P0 fit to data above 1.5 GeV/c

Comparison with $\bar{p}p$



CCOR Collaboration
 Phys. Lett. 97B(1980)163

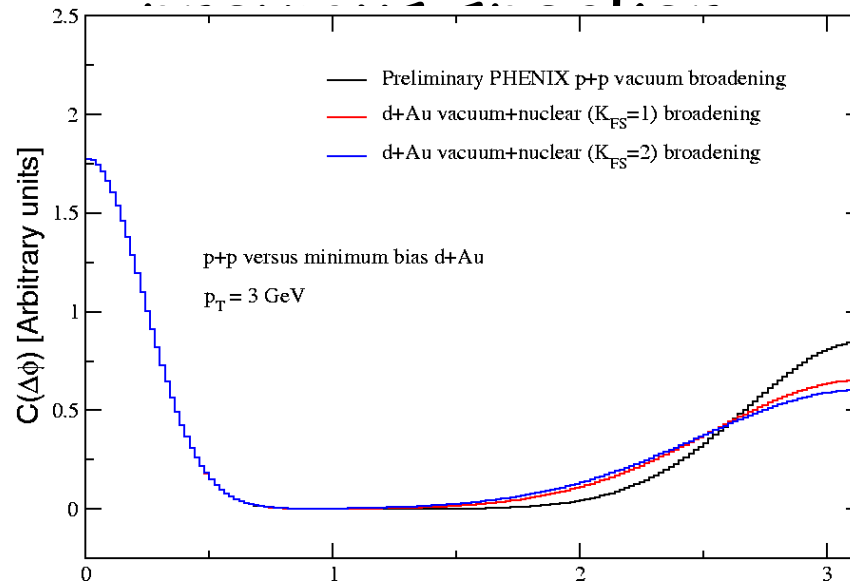


Compilation of $\langle p_{\perp} \rangle_{\text{pair}}$ results:
 Apanasevich et al
 Phys. Rev. D59(1999)074007

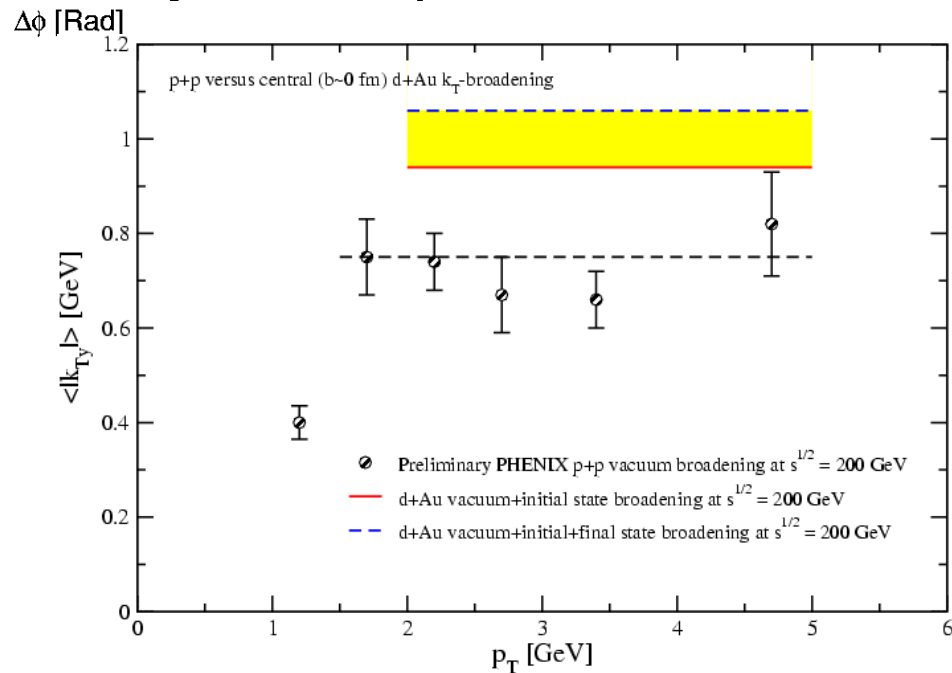
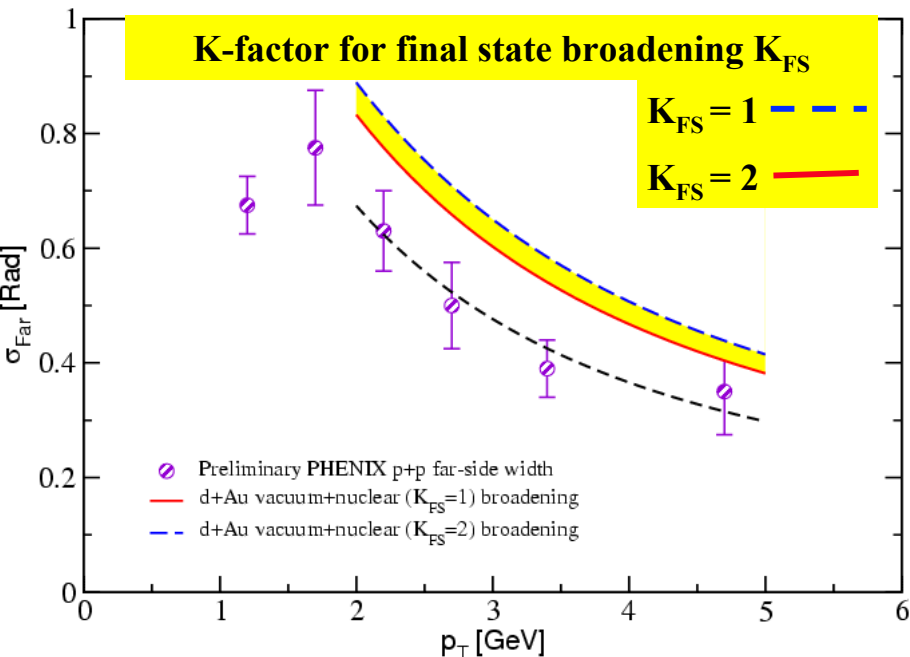
$$\sqrt{\langle \mathbf{p}_{\perp}^2 \rangle_{\text{pair}}} = \sqrt{2} \sqrt{\langle \mathbf{k}_{\perp}^2 \rangle} = \sqrt{2\pi} \langle |\mathbf{k}_{\perp y}| \rangle$$

Initial/final (cold) state broadening -

If the **fragmentation occurs only outside** QCD medium - σ_N remain unchanged by induced gluon radiation

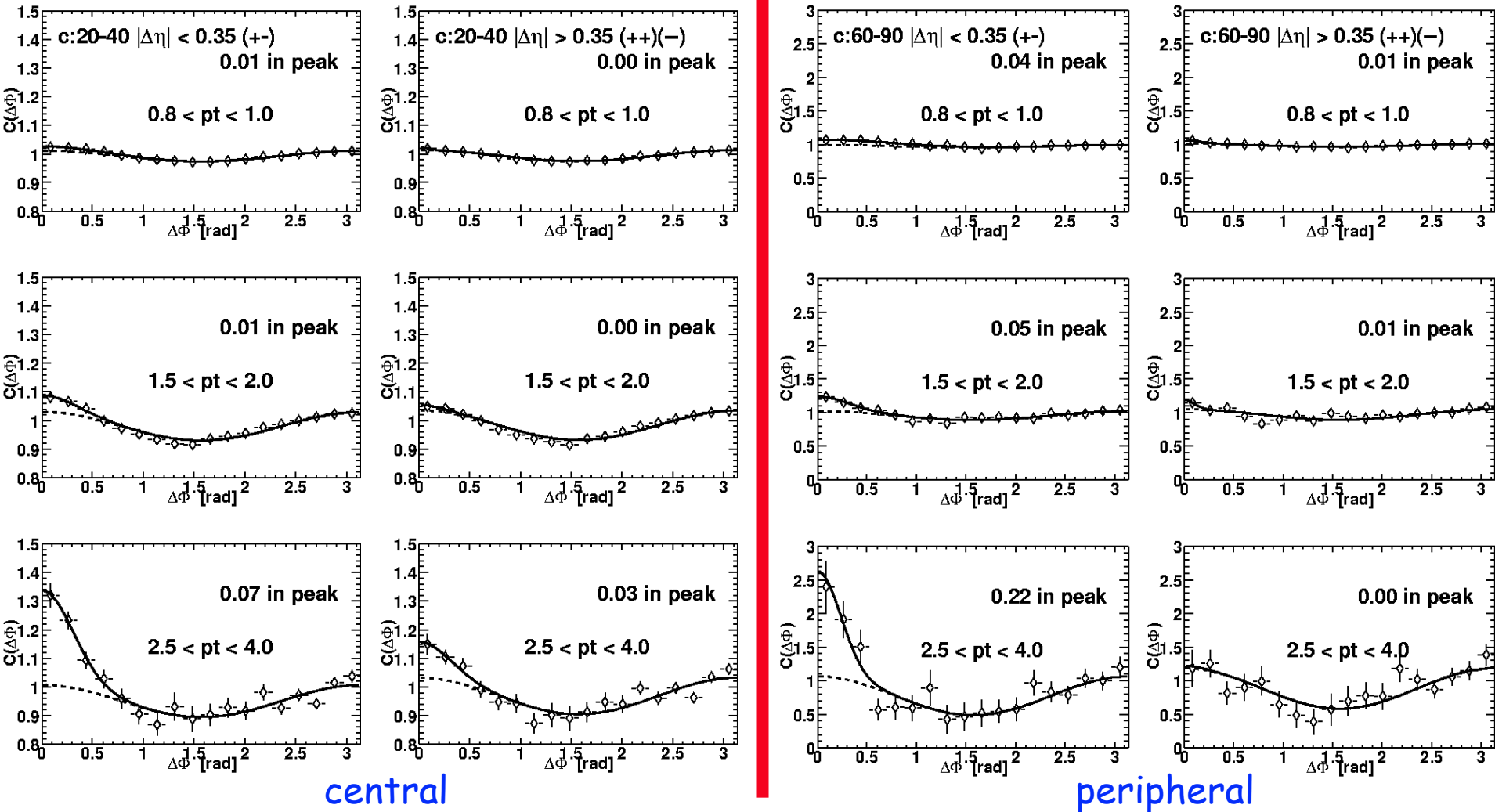


Both initial and final state interactions lead to enlargement of σ_F observed as **$\langle k_T \rangle$ -broadening**



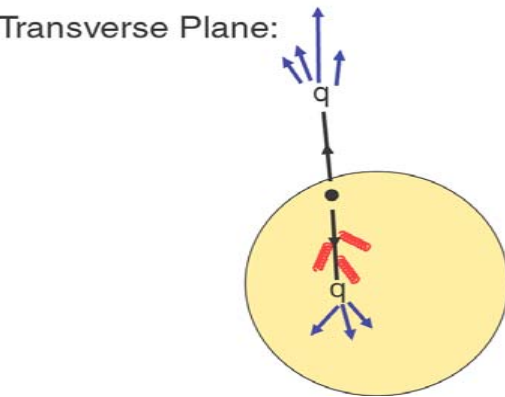
Jet-cone correlations

One of the most direct way of jet detection in AA high-multiplicity environment is a method based on two-particle correlations.

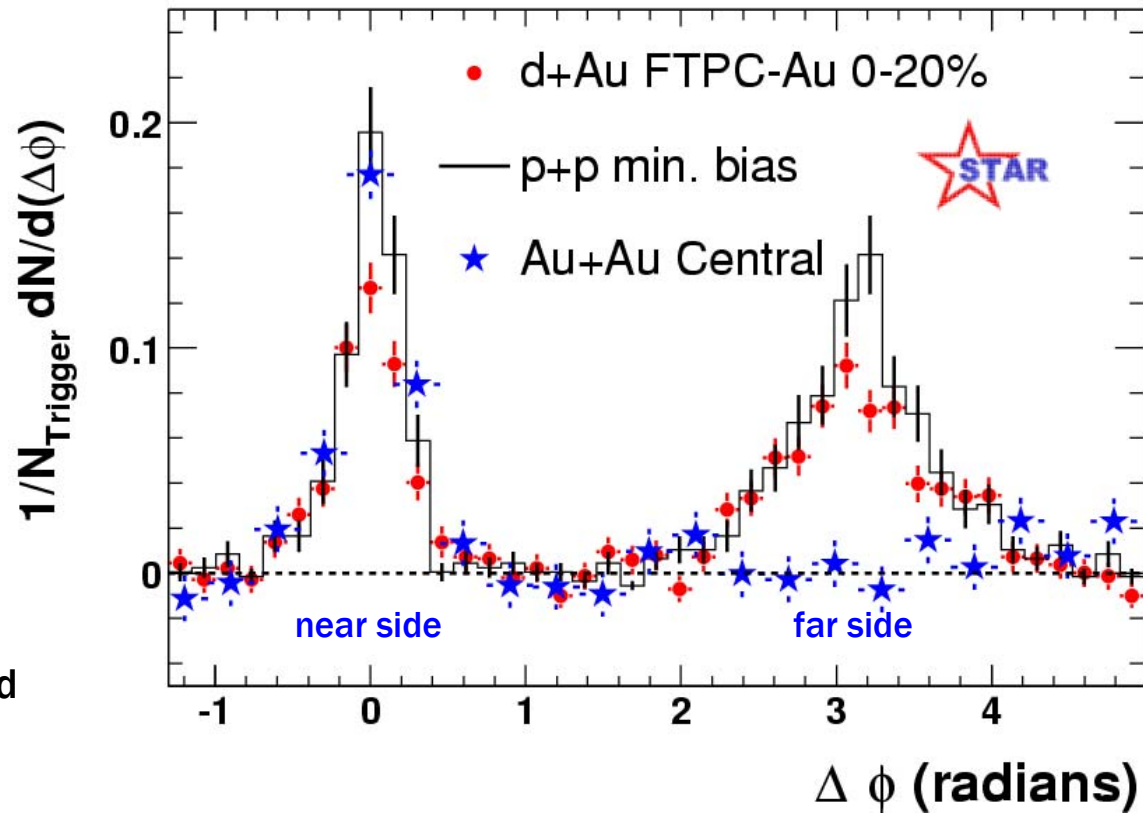


- Jet Correlation (STAR Collaboration) -

$\sqrt{s_{NN}} = 200 \text{ GeV}$



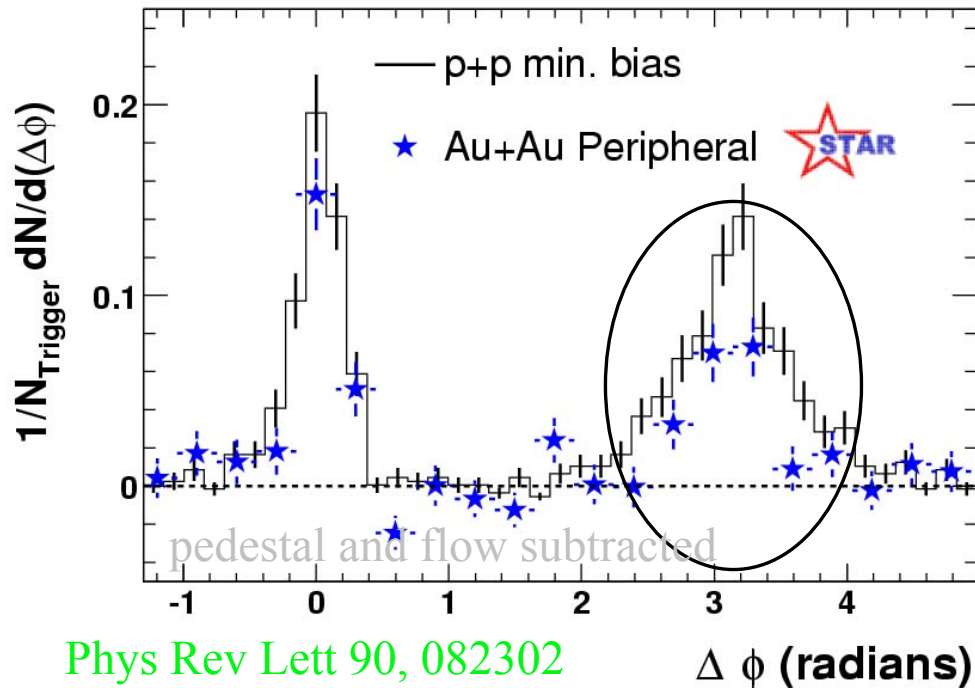
pedestal and flow subtracted



- back-to-back correlation suppressed in central Au+Au

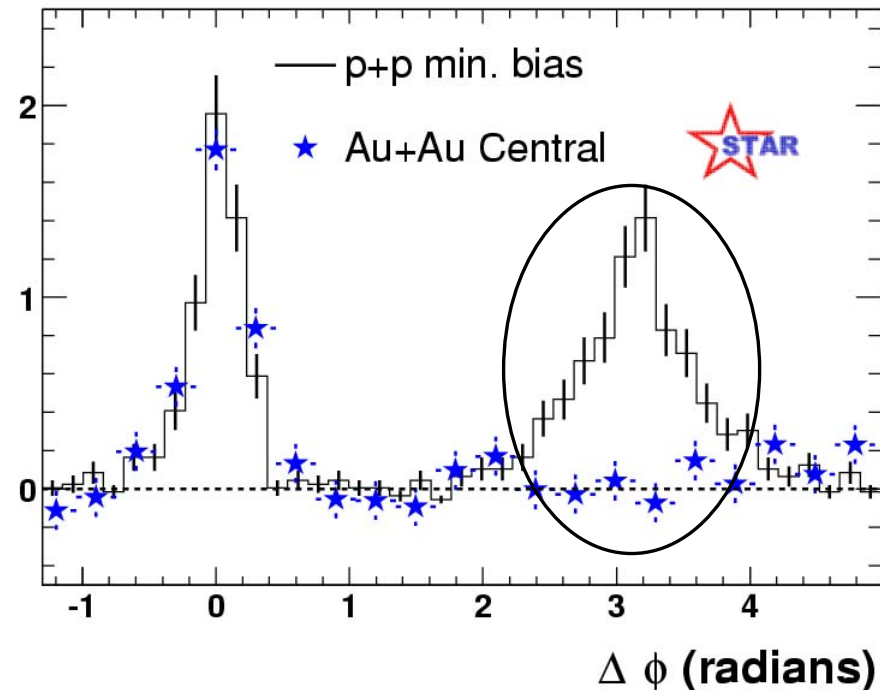
Azimuthal distributions in Au+Au

Au+Au peripheral



Phys Rev Lett 90, 082302

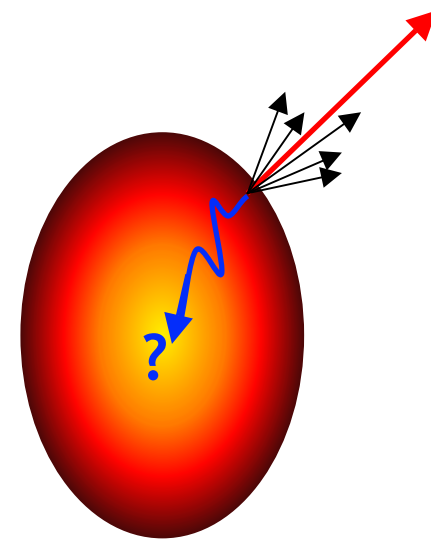
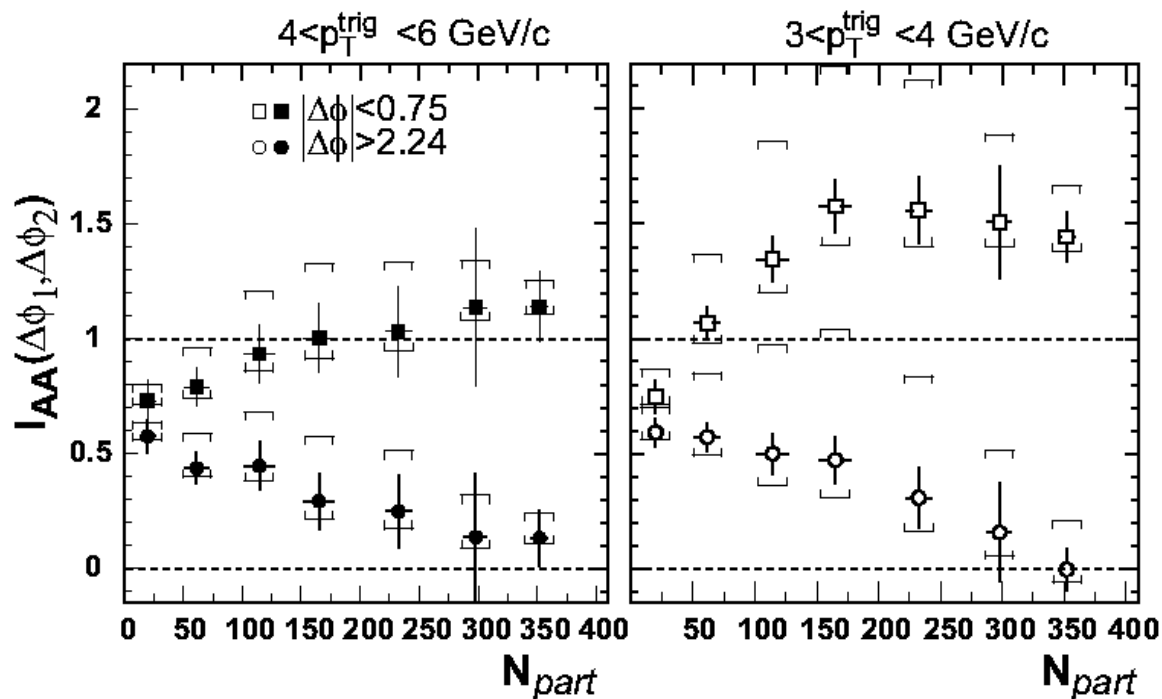
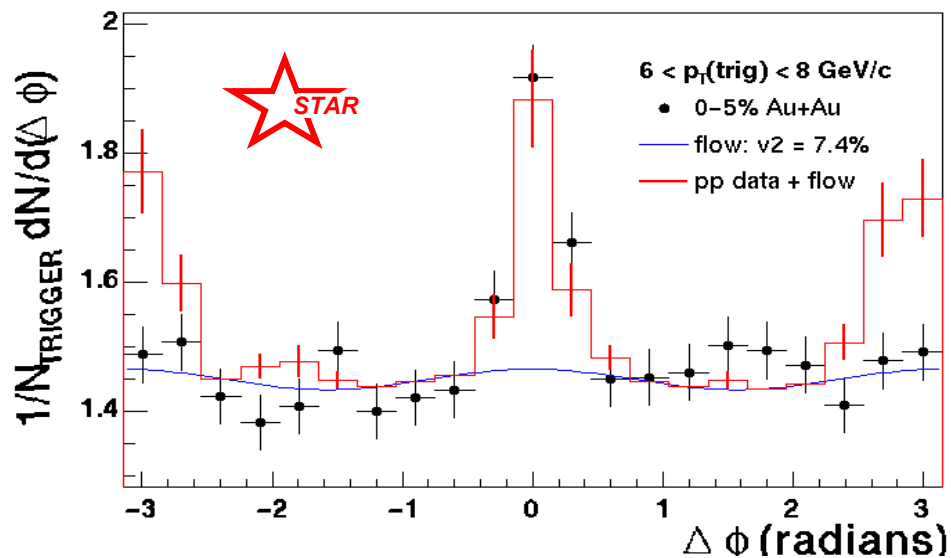
Au+Au central



Near-side: peripheral and central Au+Au similar to p+p

Strong suppression of back-to-back correlations in central Au+Au

STAR jets and away-side quenching

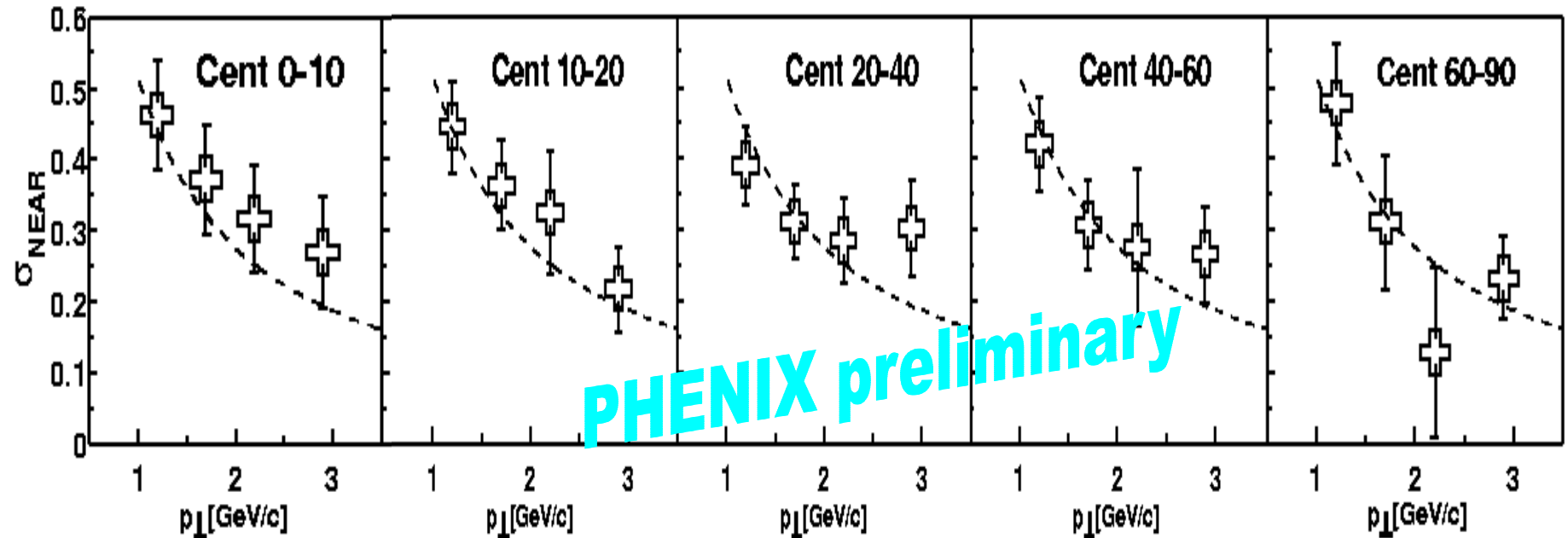


Hint of surface emission ?

Nucl-ex/0210033

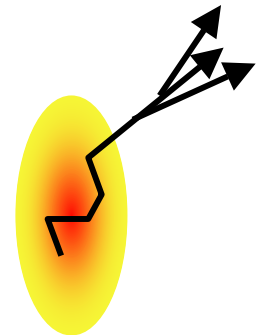
Near angle peak width in AuAu

Let us do the same fit, but σ_N fitted as well.



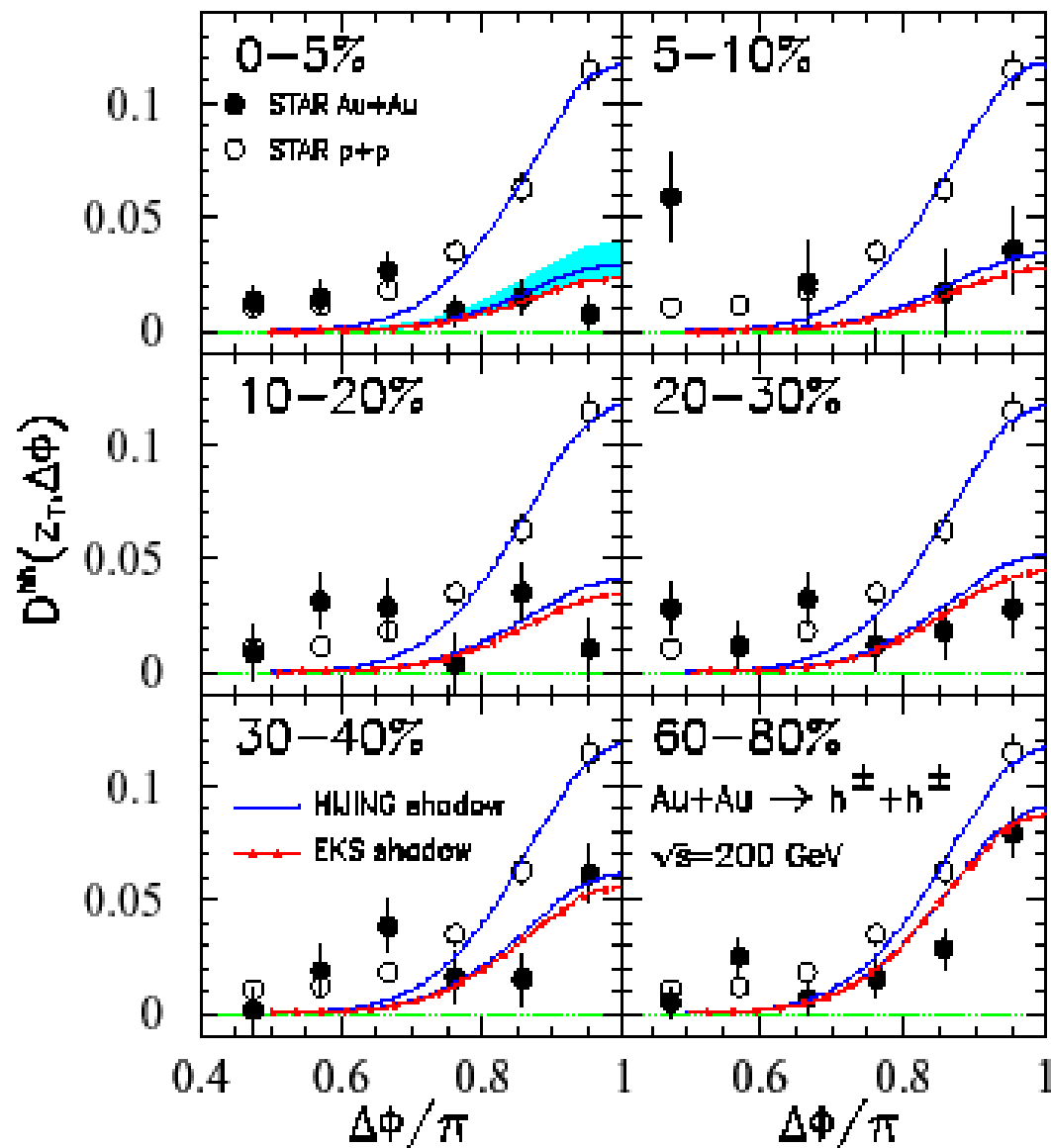
The dashed line corresponds to the $\langle |j_{Ty}| \rangle = 400$ MeV/c

There is no significant broadening observed. Could be explained by jet fragmentation outside the QCD medium.



Back-to-back suppression in quenching theory

Quenching
leaves always
b2b from
corona....



Summary

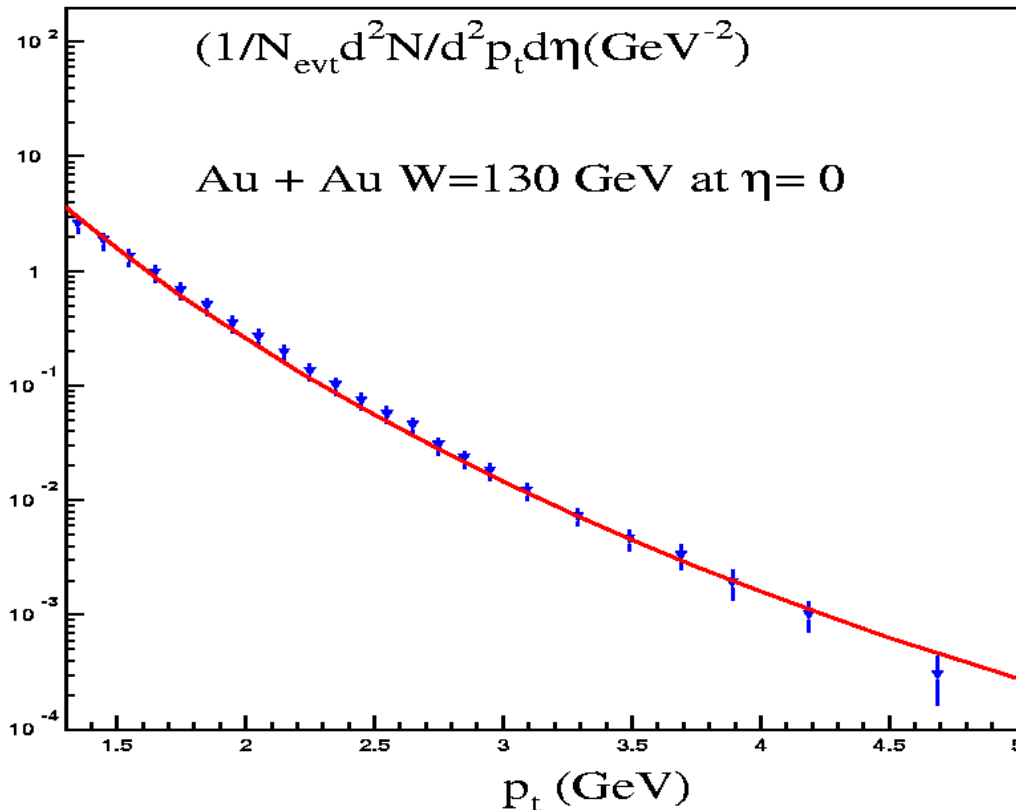
- HI physics enters the **pQCD** regime, but not exactly in the way we have (some of us) expected.
- First two years of RHIC running - unexpected experimental results in high- p_T sector, namely
 - huge high- p_T particles yield suppression
 - huge p_T and \sqrt{s} independent azimuthal anisotropy
 - disappearance of back-to-back jet in central collisions
 - weaker back-to-back correlation observed at RHIC $\sqrt{s} = 200\text{GeV}$ relative to SPS $\sqrt{s} = 17\text{GeV}$
- No coherent picture yet, but we will find out soon !

Back up slides

Back up slides

Model III: High- p_T suppression

Dima Kharzeev hep-ph/0210332

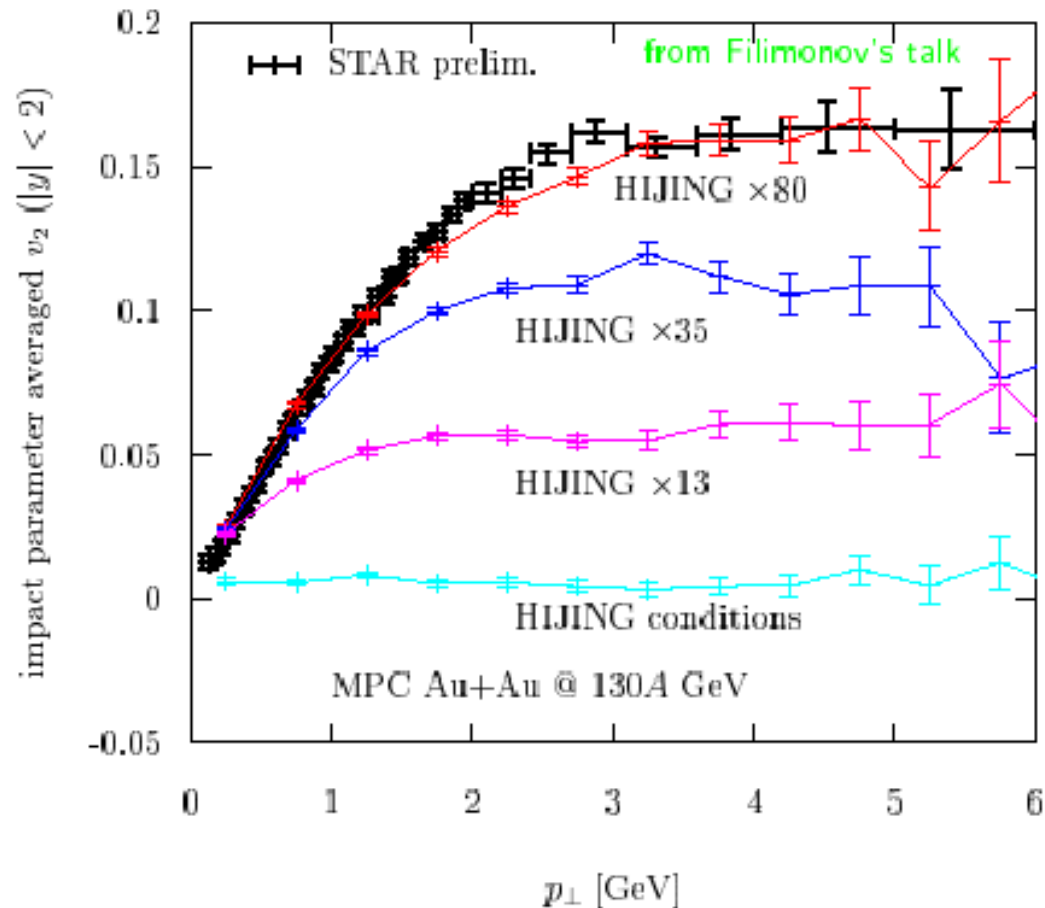


Looks good, but there is a lot of open questions. If CGC is right

- azimuthal anisotropy
 - high- p_T suppression
- in pA should be significant.

We will know in couple of days !!

HIJING and opacity



➤ **80x more opaque** gluon plasma @ RHIC then from pQCD (see D. Molnar nucl-th/0005051, nucl-th/0104073 or

<http://nt3.phys.columbia.edu/people/molnar>)

Structure of the nucleon

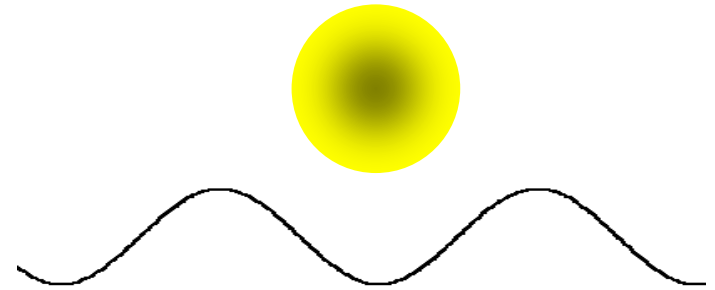
$$\text{Wavelength } \lambda = h/p$$

AGS



See the whole proton

$$Q^2 = 0.1 \text{ GeV}^2$$

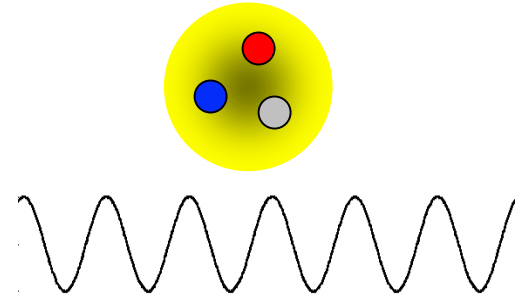


SPS



See the quark substructure

$$Q^2 = 1.0 \text{ GeV}^2$$

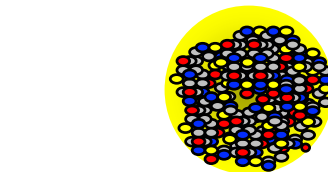


RHIC



See many partons

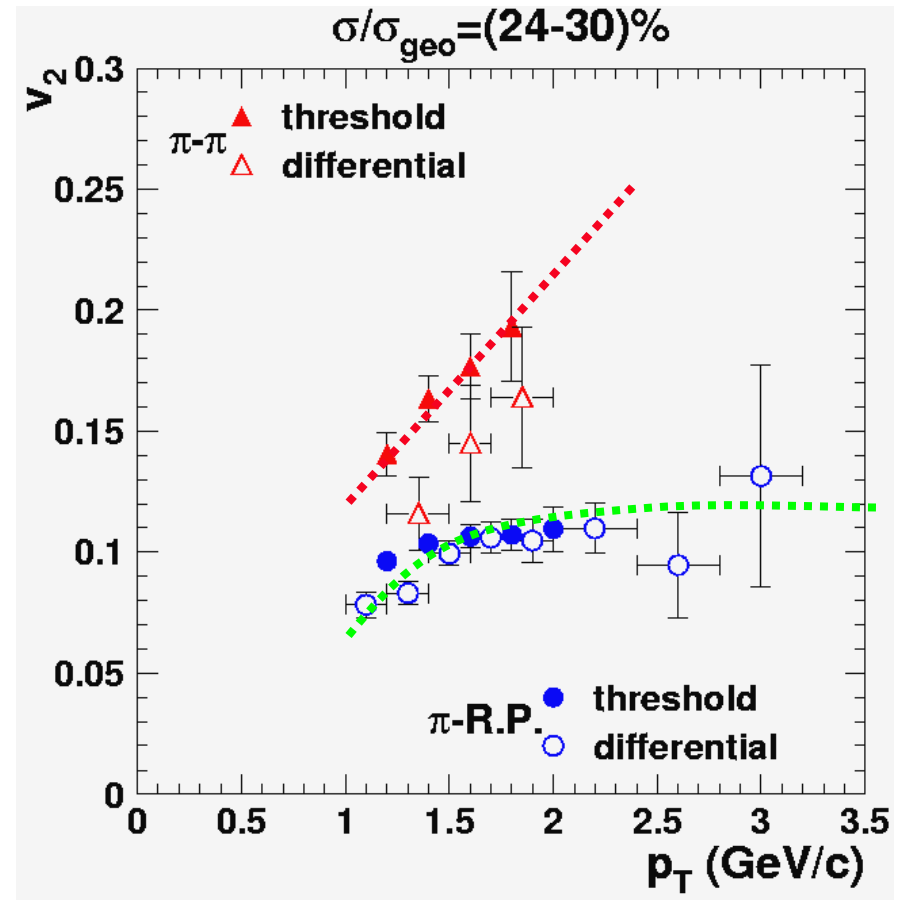
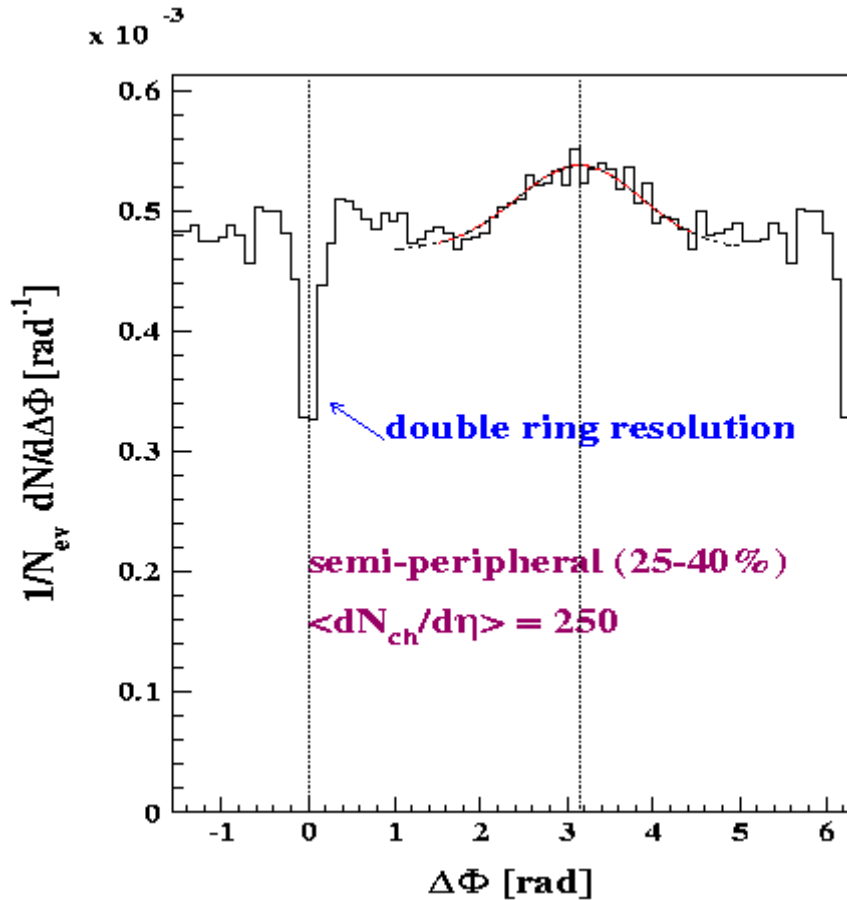
$$Q^2 = 20.0 \text{ GeV}^2$$



LHC



CERES $\sqrt{s} = 17\text{GeV}$ identified π^{\pm} in RICH

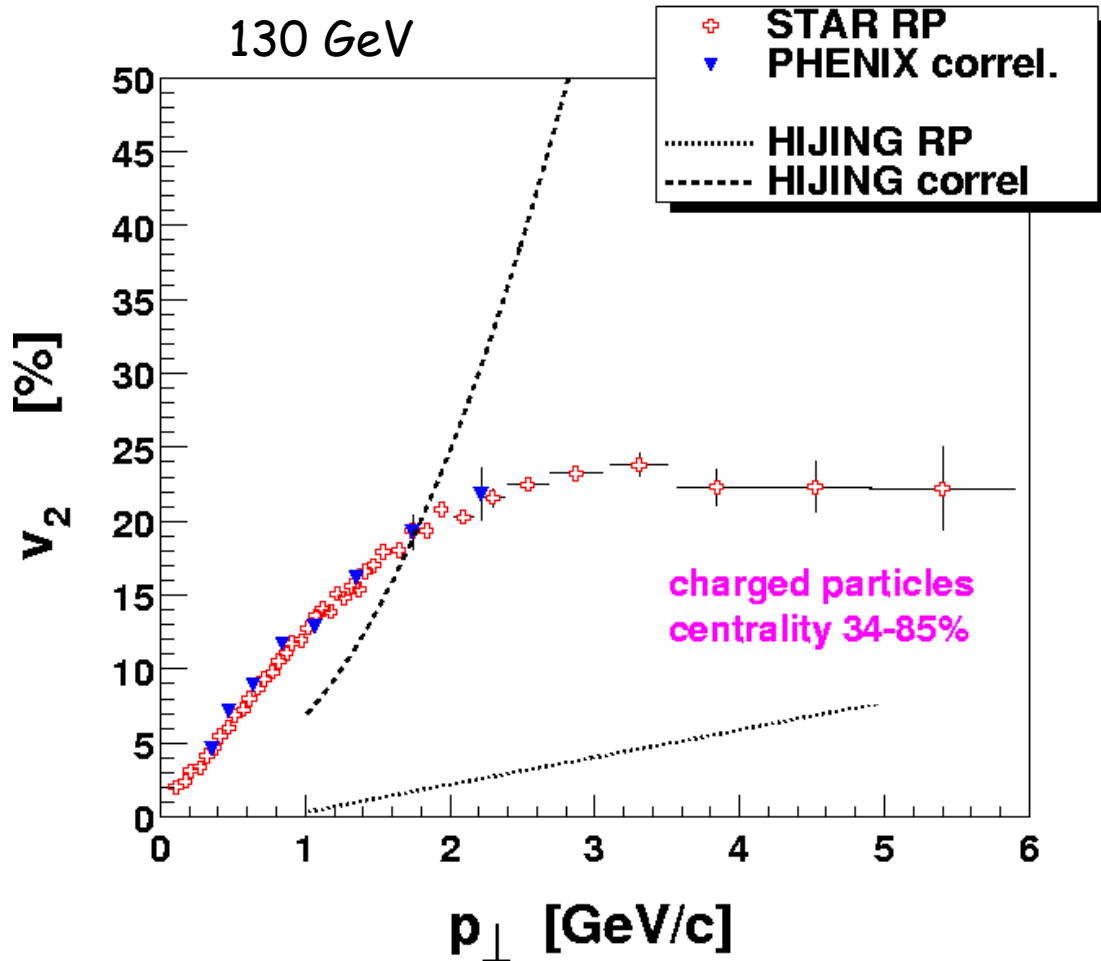


Large sample of high- p_T pions identified in RICH (γ -threshold 32 \rightarrow pions $> 5\text{GeV}/c$)

Back-to-back part of correlation function was parameterized solely by $v_2(p_T)$.

Significant excess of back-to-back correlations above $1.5\text{-}2\text{GeV}/c$!

$v_2(p_\perp)$ PHENIX vs. STAR



* PHENIX two particle correl.

➤ Good agreement with RP

* HIJING ($dE/dz = 0$ & 2 GeV/fm).

➤ RP v_2 is too small over the full range, but grows with p_\perp ,

➤ Correlation v_2 is large,
(not seen in data).

(See E.V. Shuryak, nucl-th/0112042)

side remark:

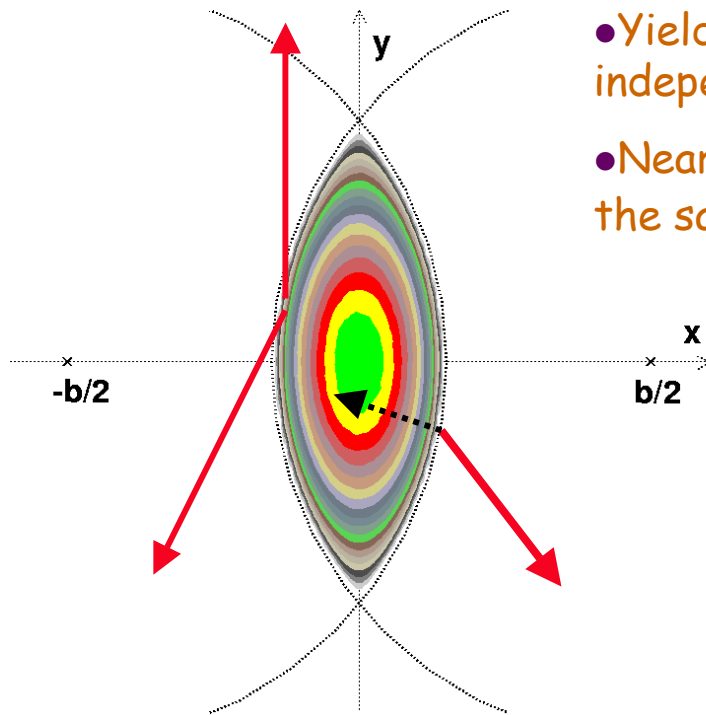
$$\langle x_\perp \rangle = 2 \langle p_\perp \rangle / \sqrt{s} \approx 0.1 \quad @SPS$$

$$\approx 0.01 \quad @RHIC$$

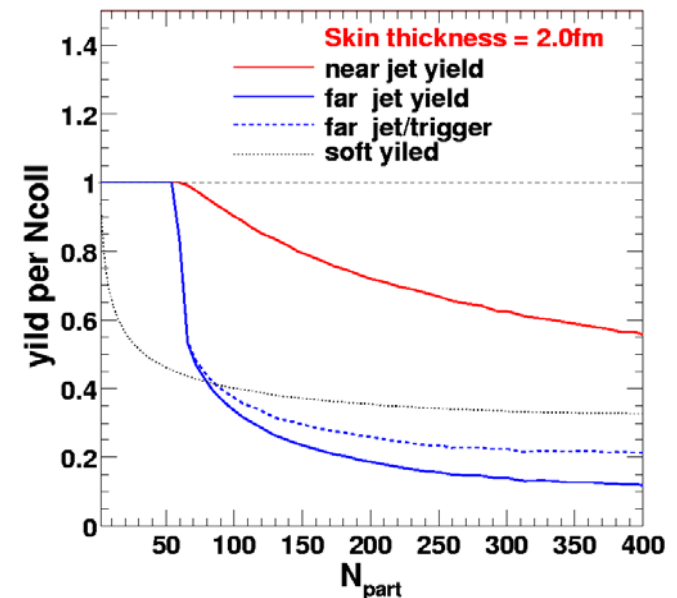
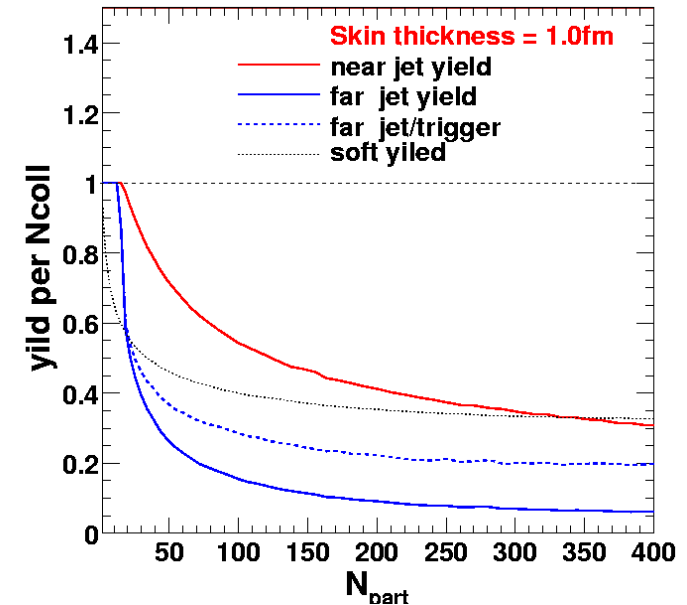
Up to 2 GeV/c there is no or very little room for non-flow anisotropy !

Surface Emission in Glauber Model

Radiation from thin surface
slab towards outer half- plane.



- Yield per trigger independent on ΔR .
- Near/far suppressed in the same way.



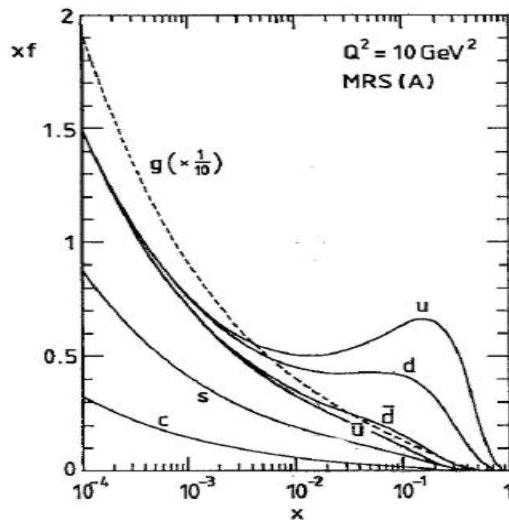
$T_{AA}(b,rT)$ overlap function (hard sphere)->
-> production prob. dist in (xT,yT)

pQCD ingredients

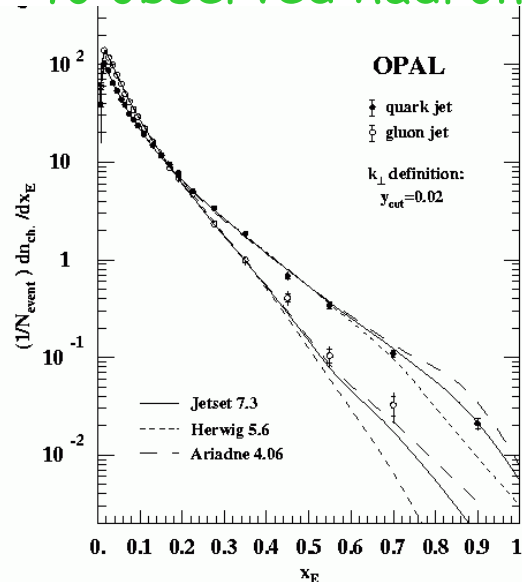
In order to calculate the yield of high p_T hadrons

$$E_h \frac{d\sigma_h^{pp}}{d^3p} = K \sum_{abcd} \int dz_c dx_a dx_b \int d^2k_{Ta} d^2k_{Tb} f(k_{Ta}) f(k_{Tb}) \underbrace{f_{a/p}(x_a, Q_a^2) f_{b/p}(x_b, Q_b^2)}_{\text{red}} \underbrace{D_{h/c}(z_c, Q_c^2)}_{\text{green}} \underbrace{\frac{\hat{s}}{\pi z_c^2} \frac{d\sigma^{(ab \rightarrow cd)}}{d\hat{t}} \delta(\hat{s} + \hat{u} + \hat{t})}_{\text{blue}}$$

Flux of incoming partons (structure functions) from Deep Inelastic Scattering



Fragmentation functions $D(z)$ in order to relate jets to observed hadrons



Perturbative QCD

$$\sigma_{AA}(b_c) = \sigma_{pp} \int_0^{b_c} db^2 T_{AA}$$

